

# Neutron Spin Echo with colder neutrons

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Very Cold and Ultra Cold source @ ESS workshop 2022



# Outline

- Why am I here ?
- What is Neutron Spin Echo ?
- What are the cold source needs of NSE ?



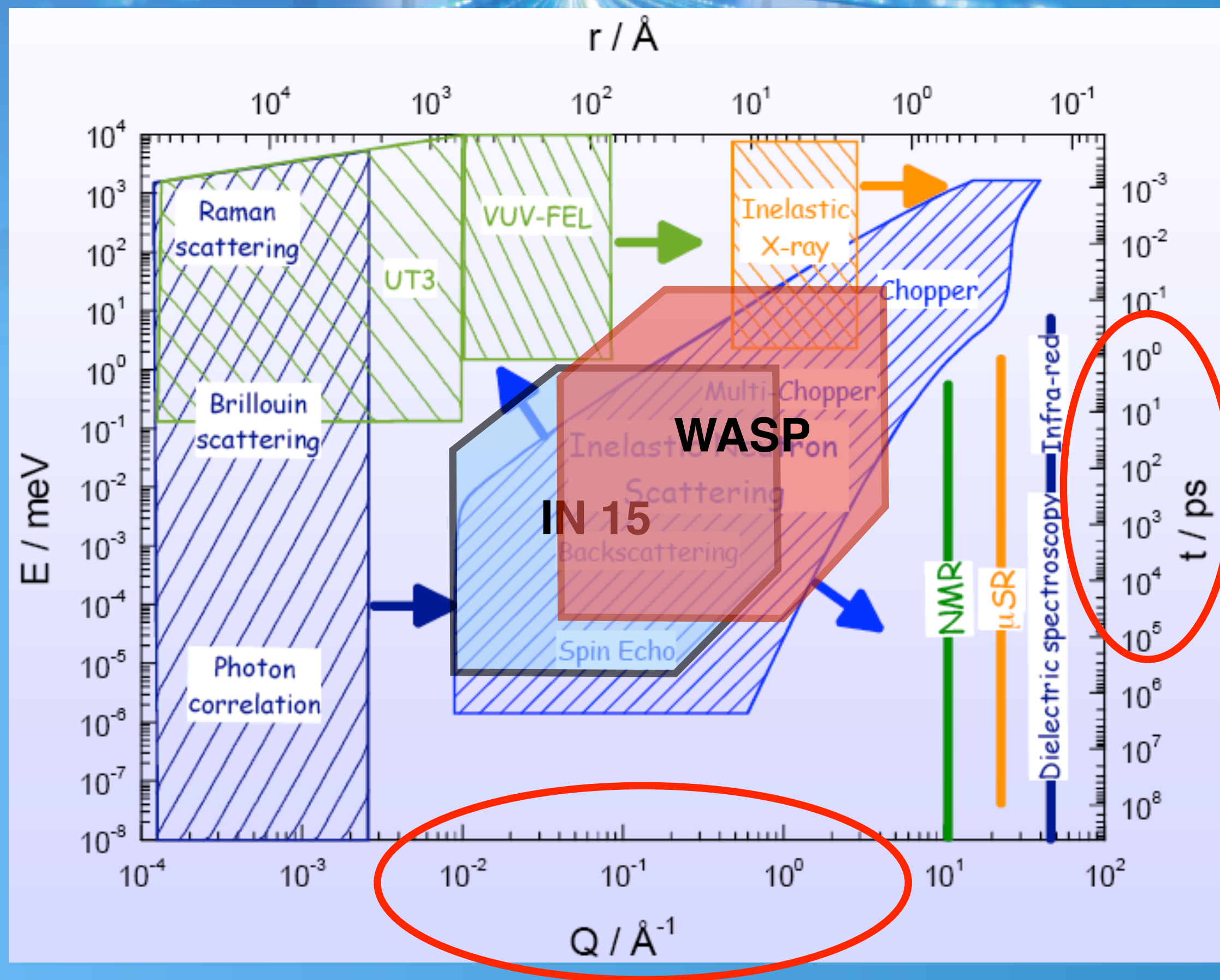
# Why talk about NSE at a VCN workshop

- NSE uses the long end of cold neutrons
- ESS Capability gap document: *The particle physics community is not at all addressed within the current 15 instruments, while the addition of a spin-echo instrument will greatly increase the kinematic coverage of the ESS spectrometer suite.*

**Confirmed by Andreas!**



# Why NSE important



- Unmatched Q-t range
- Works in time space not energy space
- Sees difference not sum of coherent and incoherent scattering
- For magnetism XYZ polarisation analysis built in

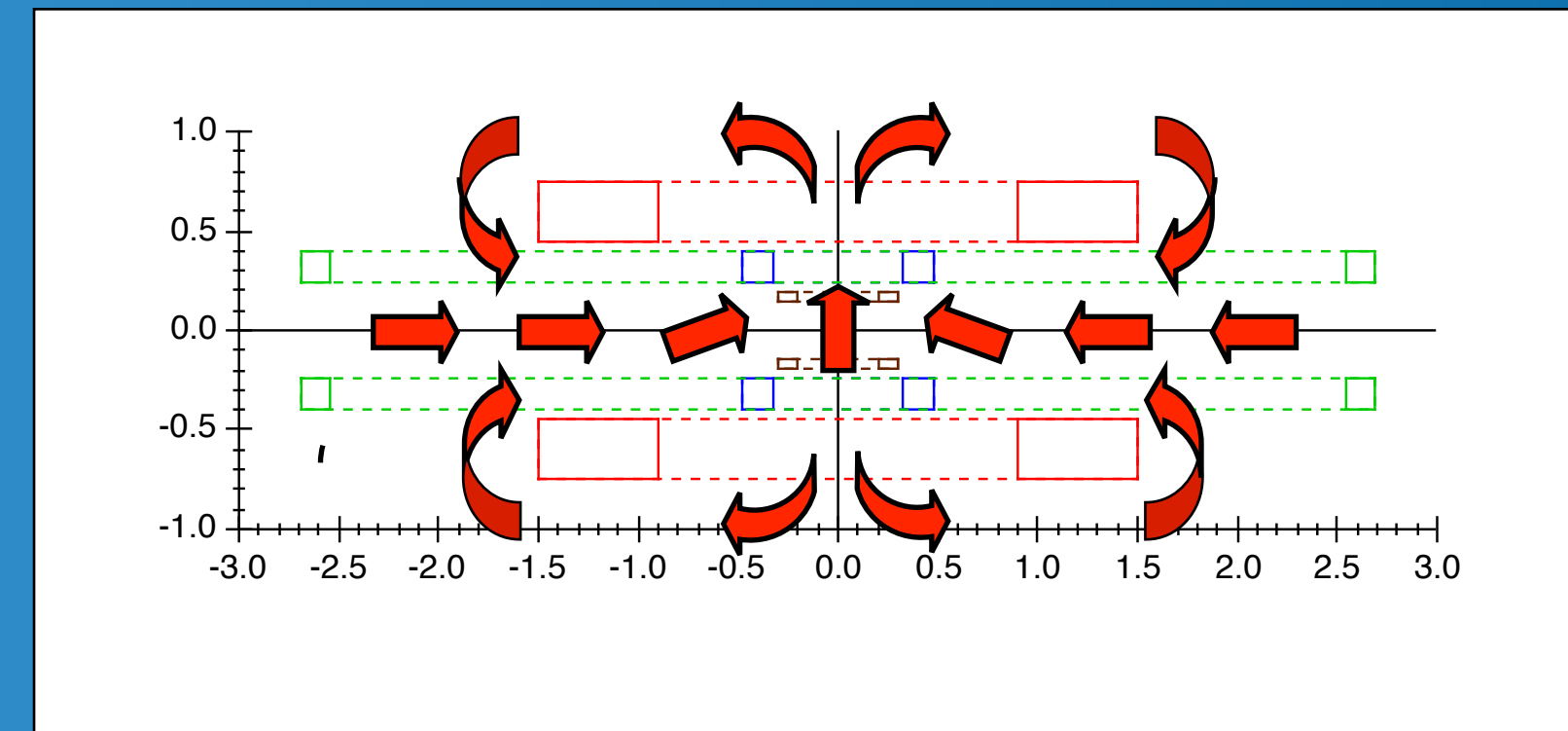
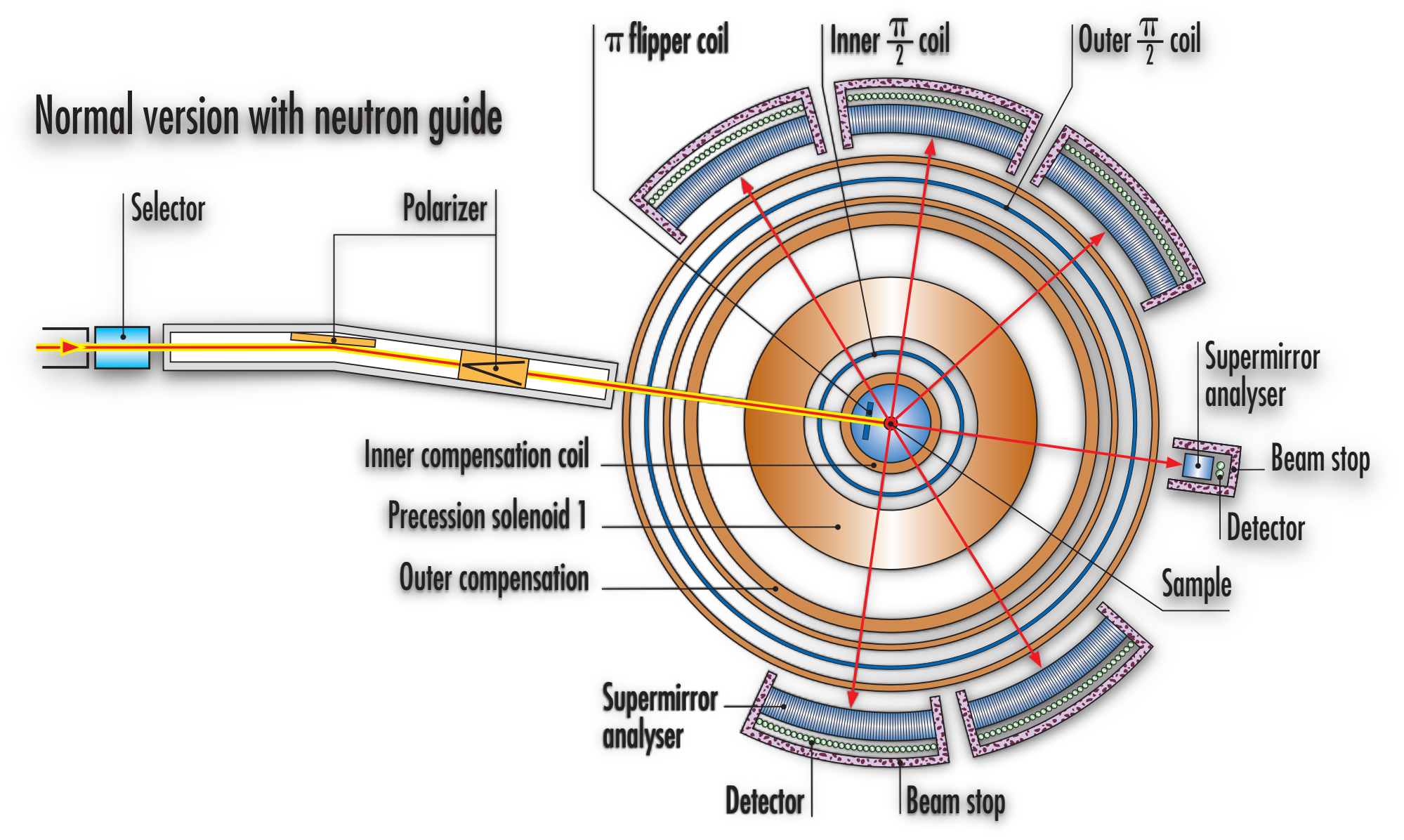
- **WASP** is optimized for atomic to molecular length scales  $0.1-4 \text{ \AA}^{-1}$ ,  $0.2 \text{ ps}-100 \text{ ns}$

- **IN 15** is optimized for molecular length scales  $0.01-1 \text{ \AA}^{-1}$ ,  $5 \text{ ps}-1000 \text{ ns}$



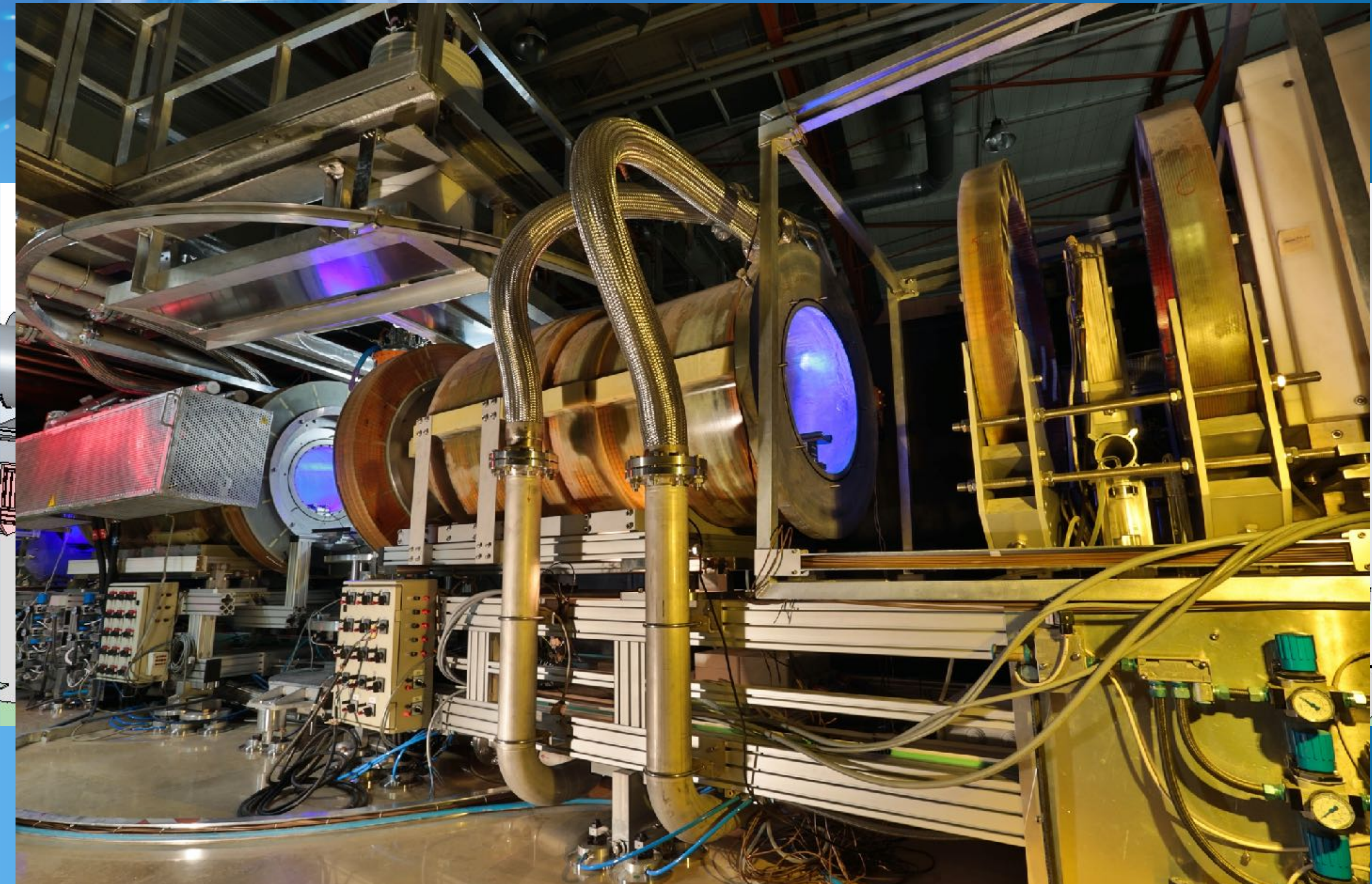
# WASP 2018

SPAN





# IN15 2016





# EVA-SERGIS 2005





# NSE science

## Soft matter

Polymers melts  
Filled polymers  
confined Liquids  
ionic liquids  
lipid membranes  
emulsions

## Magnetism

Frustrated magnets  
Spin glasses  
Skyrmions

## Life sciences

small biomolecules  
enzymes  
Monoclonal Antibodies  
intrinsically disordered proteins

## Energy materials

Li battery electrolytes  
fuel cells



# NSE basics

Echo condition:

$$\int_{\pi/2}^{\pi} B_1 d\ell = \int_{\pi}^{\pi/2} B_2 d\ell$$

The measured quantity is:  $S(q,t)/S(q,0)$   
where

$$t \propto \lambda^3 \int B d\ell$$

For elastic scattering:

$$\varphi_{tot} = \frac{\gamma B_1 l_1}{v_1} - \frac{\gamma B_2 l_2}{v_2} = 0$$



For omega energy exchange:

$$\varphi_{tot} = \frac{\hbar \gamma B l}{m v^3} \omega + o\left(\left(\frac{\omega}{1/2 m v^2}\right)^2\right)$$



The probability of omega energy exchange:

$$S(q, \omega)$$

The final polarization:  $\langle \cos \varphi \rangle = \frac{\int \cos\left(\frac{\hbar \gamma B l}{m v^3} \omega\right) S(q, \omega) d\omega}{\int S(q, \omega) d\omega} = S(q, t)$



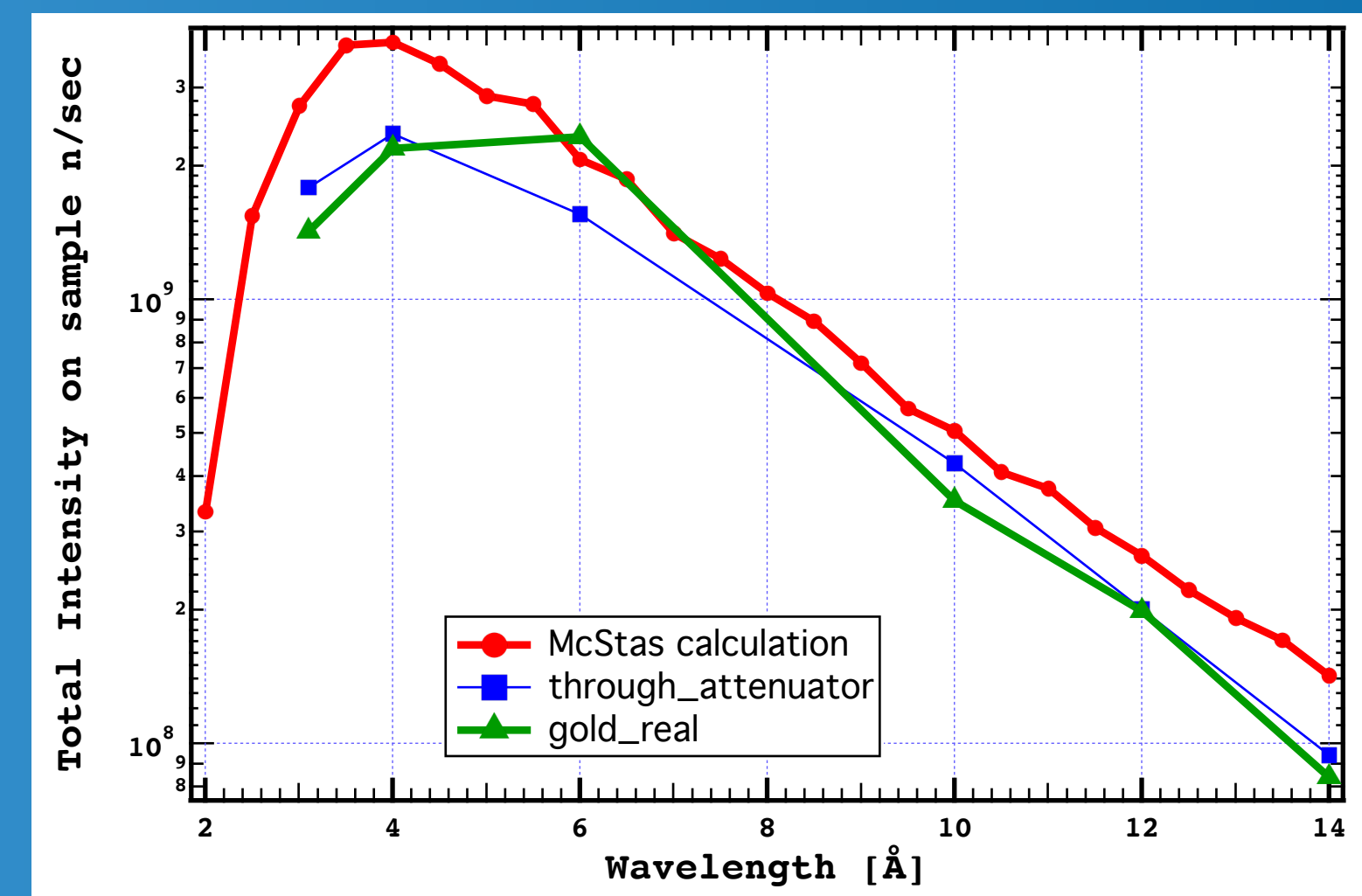
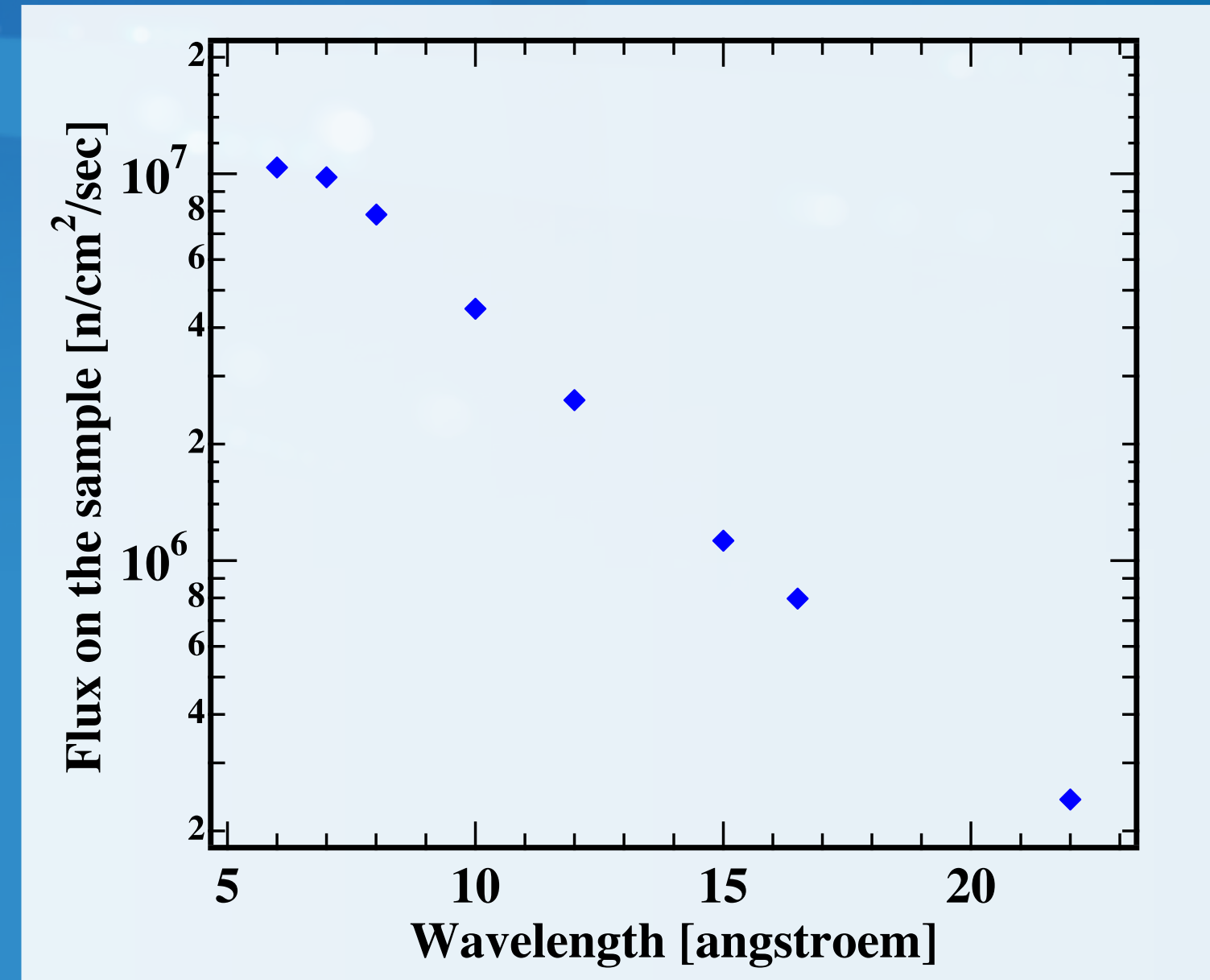
# Long wavelengths: Source intensity

$$t \propto \lambda^3 \int B dl$$

$$I \propto \lambda^{-5}$$

$t_{\max}$  not decoupled from intensity!

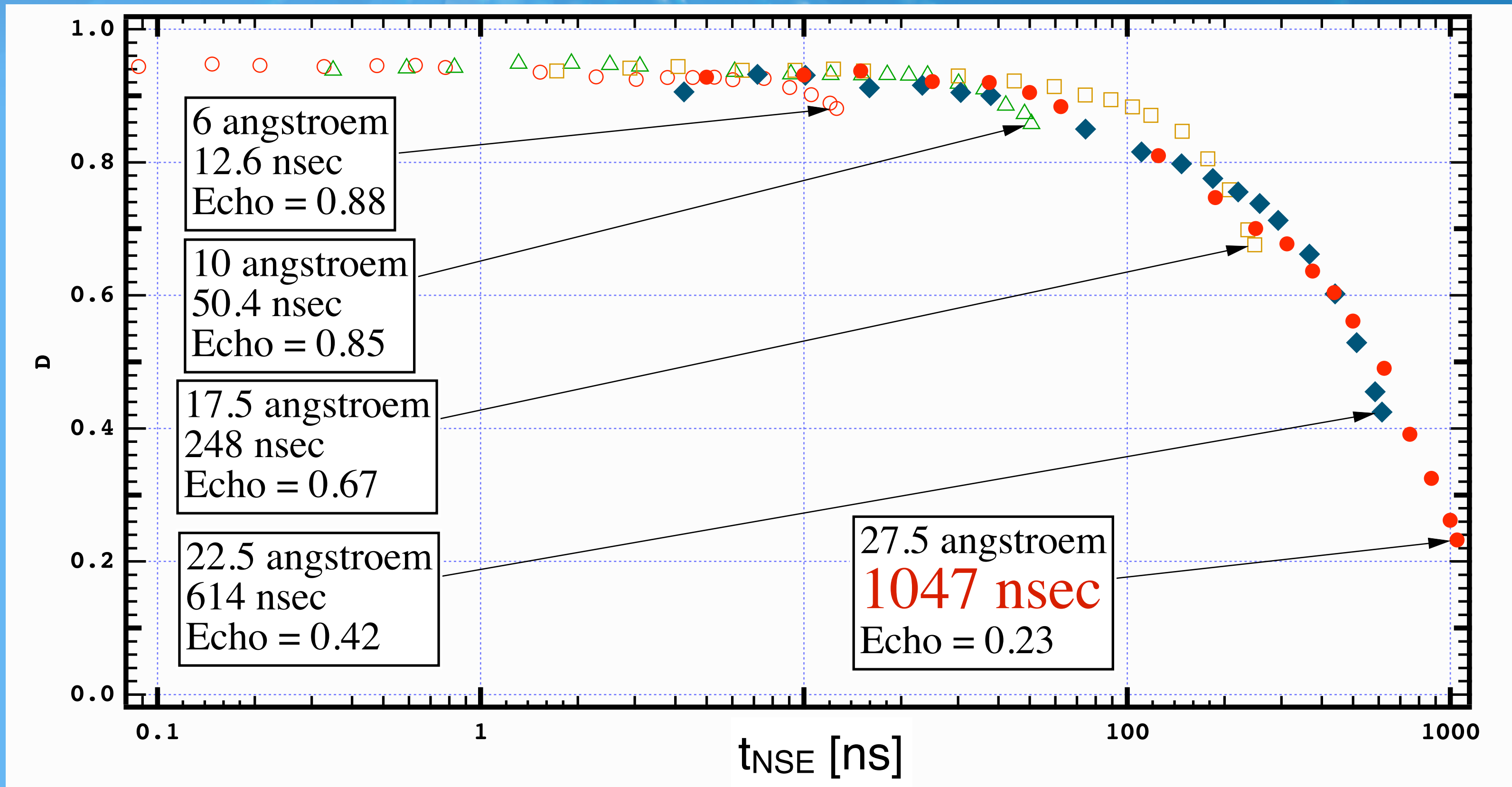
4 x higher field integral  
 ==  
 1/1.6 x shorter wavelength  
 ==  
 10 x higher intensity!





# Long wavelength: phase difference

$$\varphi_{tot} = \frac{\gamma B_1 l_1}{v_1} - \frac{\gamma B_2 l_2}{v_2}$$

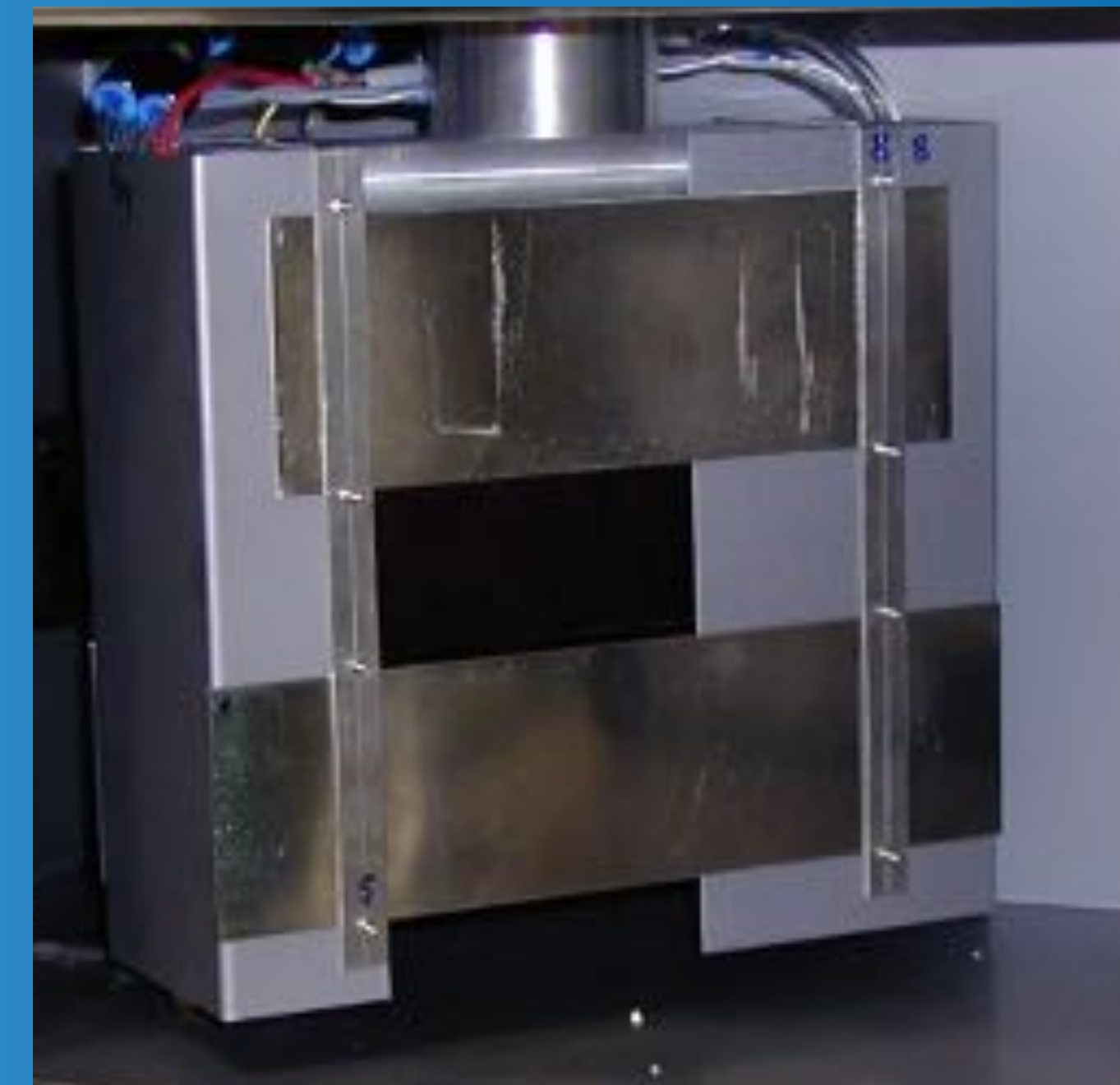


In practice the resolution hits a wall



# Long wavelength: Flippers Fresnels in beam

cm-s alu, mm-s copper  
attenuation,  
small angle scattering





# NSE source wishlist

- Wavelength IN15, SERGIS: 6-25 Å
- Wavelength WASP 3-14Å needs short wl. for high Q!
- No need for collimation but focusing difficult, guide should\* stop 2m from sample
- Intensity, intensity, intensity not brightness
- Do away with Maxwell Boltzmann
- Give polarised neutrons (from the source if possible)



# Acknowledgments



Béla Faragó