

Studies on **VESPA** detectors

- Proposed by N. Rhodes & D. Raspino (on 10th-5-'17):

Cylindrical ³He tubes;

L=203.2 mm, long (*i.e.* 8");

W=7.938 mm, internal diameter (*i.e.* 5/16");

³He pressure up to *p*≤20 atm.

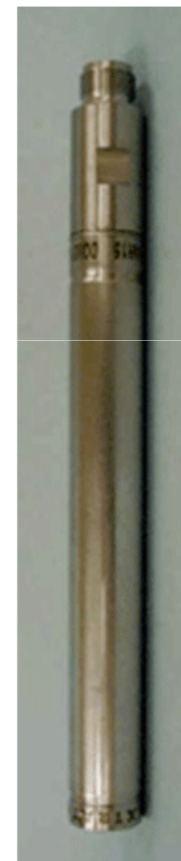
- Proposed by M. Zoppi (in 2015):

“Squashed” ³He tubes;

L=203.2 mm, long (*i.e.* 8");

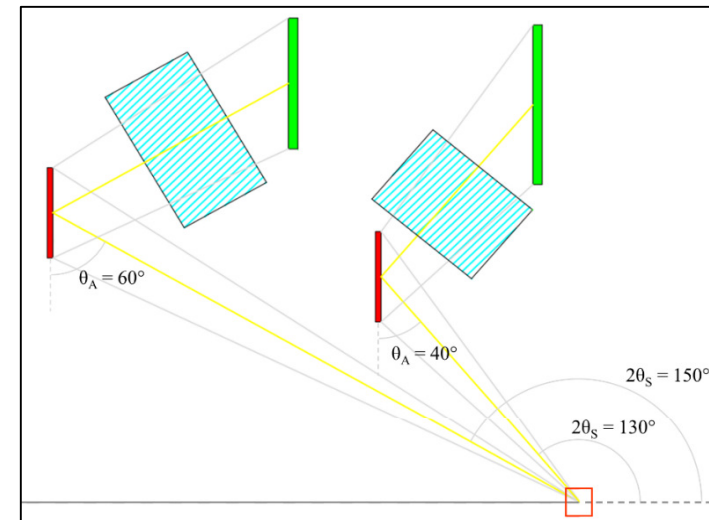
2a=12.065 mm (*i.e.* 19/4"), *2b*≈2.54 mm (*i.e.* 1/10");

³He pressure *p*=20 atm.



• How to arrange them in the **VESPA** modules?

- Backscattering** ($\theta_m = 130^\circ$): 176.16 mm illuminated. **20 tubes** can be accommodated, if a 8.8 mm gap per tube is enough. Solid angle: 0.0612 sr.
Problems: the last 3 tubes would have $\lambda_f < 3.97 \text{ \AA}$ (Be cut-off). **17 tubes** left !



- Extreme Backscattering** ($\theta_m = 150^\circ$): 144.64 mm illuminated. **17 tubes** can be accommodated, if a 8.5 mm gap per tube is enough. Solid angle: 0.0212 sr.

- What about the **VESPA** “elastic line”?

– we don’t have neutrons with $\lambda_0 > 4.7 \text{ \AA}$! –

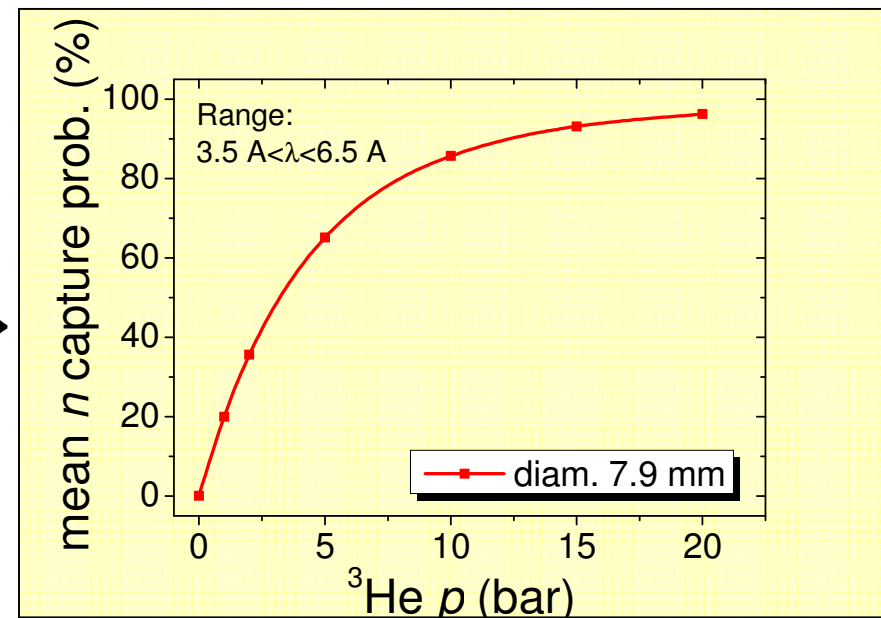
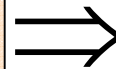
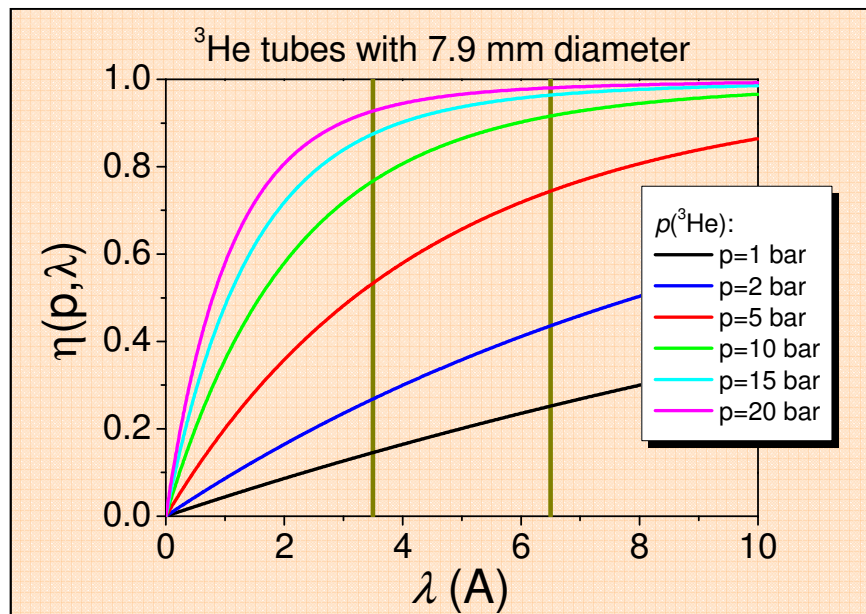
1. **Backscattering** ($\theta_m = 130^\circ$):

Out of **17 tubes** ($4.00 \text{ \AA} < \lambda_f < 4.83 \text{ \AA}$) **14** exhibit the “elastic line” (*i.e.* from **4th** to **17th**).

2. **Extreme Backscattering** ($\theta_m = 150^\circ$):

Out of **17 tubes** ($5.59 \text{ \AA} < \lambda_f < 6.02 \text{ \AA}$) **none** exhibits the “elastic line”.

• **Detector capture efficiency in the $3.5 \text{ \AA} < \lambda_f < 6.5 \text{ \AA}$ range**

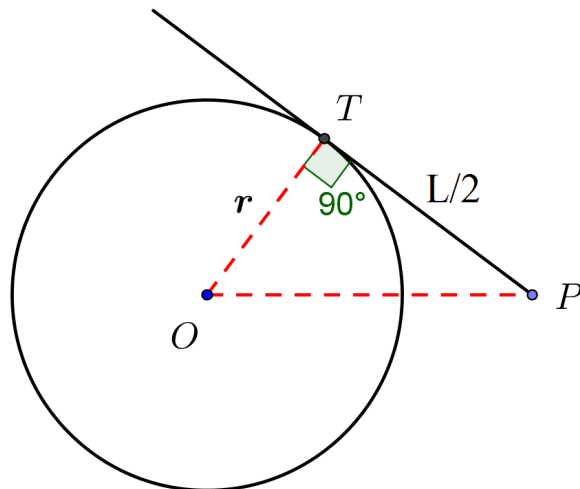


$p(^3\text{He}) = 11 \text{ bar}$ is surely enough!

- **What is the effect of the detector width on the energy resolution?**

There are three detector- ΔE components:

- **Radial** $\propto W$
- **Thickness (a)** \propto s. d. of the n. free path: $\sigma_{fp} = \sigma_{fp}(\lambda, p)$
- **Thickness (b)** \propto s. d. of curvature “error” $\sigma_c \approx (1/\sqrt{720}) L^2/r$

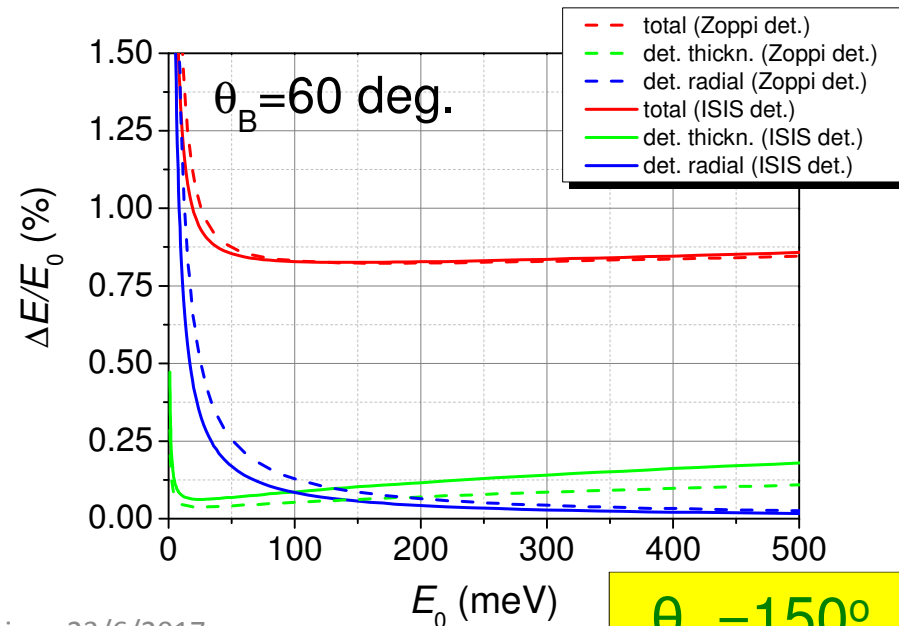
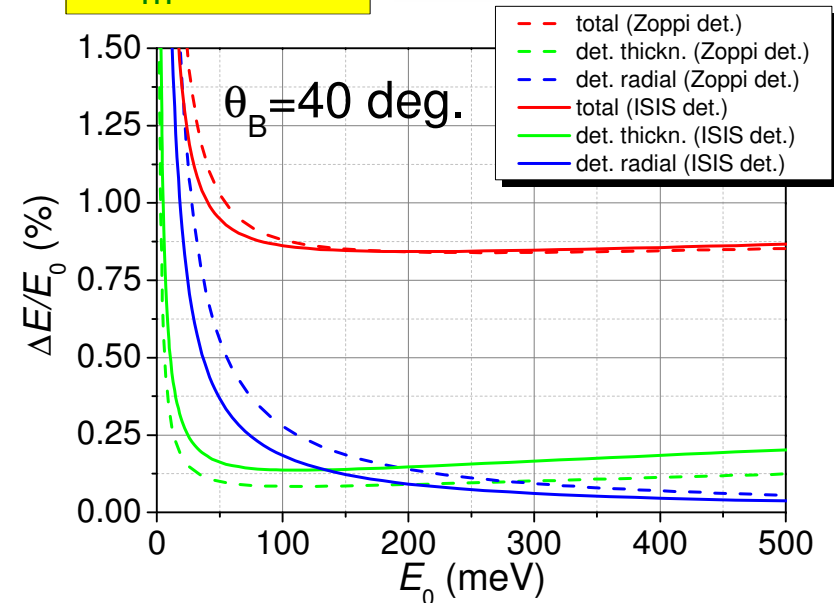


Proposed by **MZ**

- $W=12$ mm, $s=2.5$ mm (elliptical)
- **thickness** $(a^2+b^2)^{0.5}$ (at $p=20$ bar)
- $\sigma_{fp} = 1.104 \div 0.932$ mm ($3.5 \text{ \AA} < \lambda_f < 6.5 \text{ \AA}$)
- $\sigma_c = 3.182$ mm (150 deg.); 3.348 mm (130 deg.)

Proposed by **ISIS**

- $W=7.9$ mm, $s=7.9$ mm (circular)
- **thickness** $(a^2+b^2)^{0.5}$ (at $p=11$ bar)
- $\sigma_{fp} = 1.786 \div 1.545$ mm ($3.5 \text{ \AA} < \lambda_f < 6.5 \text{ \AA}$)
- $\sigma_c = 3.182$ mm (150 deg.); 3.348 mm (130 deg.)



First estimates of the peak neutron counts on the **EL**

Fictitious McSample sample: purely incoherent elastic scatterer with $\sigma_t(\mathbf{H})$, scattering power $\sim 5\%$ for $3.7 \text{ meV} < E_0 < 5.4 \text{ meV}$. Low-resolution mode @ 5 MW with the straight tapered guide.

Backscattering ($\theta \approx 130^\circ$): **14 ideal McStas detectors** ($8 \text{ mm} \times 20 \text{ mm}$)
[$4.00 \text{ \AA} < \lambda_f < 4.66 \text{ \AA}$].

Example: tube **no. 17** (the most intense), $\lambda_f = 4.00 \text{ \AA} \rightarrow E_f = 5.112 \text{ meV}$
 \Rightarrow Peak rate, $I = 4.65 \times 10^4 \text{ n/s}$;
 \Rightarrow Mean rate, $I = 2.78 \times 10^4 \text{ n/s}$.

Upper limit for ^3He tube **count rate**: $\approx 40\text{-}50 \text{ kHz}$ peak rate per tube.

Just about for the elastic line, so inelastic part is surely all right!

Why? Let us take a standard calibration sample: **HMT @ $T=20 \text{ K}$**
The maximum of the elastic line is **46.8** times larger that of the inelastic part
($\omega = 5.15 \text{ meV}$) in a raw **ToF** spectrum $I(\theta, t)$ (with $\theta = 130^\circ$ & $E_f = 5 \text{ meV}$)!