

# MonteCarlo results: nBLM response to ESS scenarios

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## OUTLOOK

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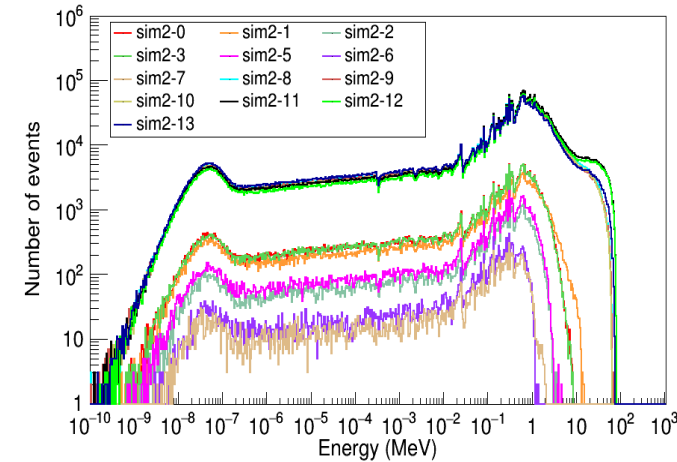
- ❖ Simulations strategy
- ❖ Accidental vs 0.01 W/m scenarios
  - ❖ Slow module
  - ❖ Fast module
- ❖ Detector position studies
- ❖ Conclusions

## *Discussed in PDR1.1*

- Simulations performed by the BI-ESS group and summarized in report *CHESS, ESS-0066428, 2016: I. Dolenc Kittelman, "Report regarding the MC simulation for BLM-focus on the nBLM"* [1]
  - Simulate loss scenarios, save secondary produced particles that enter in a nBLM phantom volume placed along the DTL.
- The output (*mcpl* format) → the input in the nBLM simulations
- In the *mcpl* file there are for each produced particle:
  - Particle energy
  - Momentum
  - Position
  - Time
  - Plus a *pdgCode* to identify the particle
- Time from ESS simulation has been added to the G4-nBLM simulation *GlobalTime*
  - Time from the ESS simulation == time since proton lost to particle creation
  - G4-nBLM *GlobalTime* == time since particle creation in the geant4 simulation to interaction in the gas in the nBLM chamber.

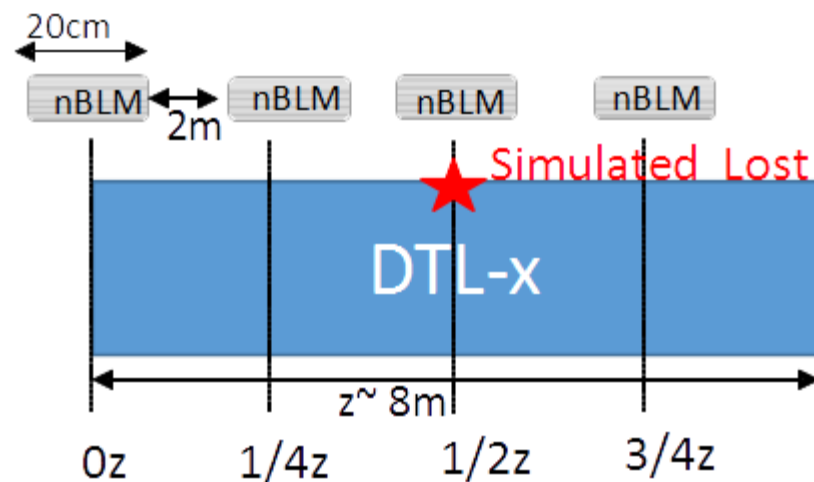
→ Therefore, we are taking into account the total time since lost starts until detection in the nBLM detectors. In [1] it is specified that the lost has been considered instantaneous and therefore, the time of the development of the lost is not included.

- 13 localized loss scenarios simulated in [1]
  - All in DTL-1 and DTL-5
  - Known number of protons, fix energy, lost in a point
- Used 7/13 as the nBLM-G4 input
- Different parameters some of them
  - Pencil beam vs Gaussian ( $\sigma_{xy} = 0$  or 1)
  - Opposite direction than the nBLM phantom volume



ESS file	Loss location	Proton Energy (MeV)	Protons simulated	Bunches simulated	Neutrons produced in scenario	N's/ bunch	Comments
sim2-0	Mid DTL-1	11.5	6.00E+08	5.45E-01	2.90E+05	5.31E+05	Max $\theta$ in DTL1, 50mrad, $\sigma_{xy} = 1$ mm
sim2-1	$\frac{3}{4}$ DTL-1	17.9	1.00E+08	9.09E-02	2.33E+05	2.56E+06	Max $\theta$ in DTL1, 50mrad, $\sigma_{xy} = 1$ mm
sim2-3	Mid DTL-1	11.5	6.00E+08	5.45E-01	2.86E+05	5.24E+05	Same as sim2-0 but $\varphi = -90^\circ$ , $\sigma_{xy} = 1$ mm
sim2-8	Start DTL-5	71.8	4.00E+07	3.64E-02	4.33E+06	1.19E+08	Max $\theta$ in DTL5 10 mrad, $\sigma_{xy} = 0$
sim2-11	End DTL-5	86.5	4.00E+07	3.64E-02	4.38E+06	1.20E+08	Max $\theta$ in DTL5 10 mrad, $\sigma_{xy} = 1$ mm
sim2-12	End DTL-5	86.5	4.00E+07	3.64E-02	3.94E+06	1.08E+08	Same as sim2-11 but $\sigma_{xy} = 0$
sim2-13	Mid DTL-5	79.3	4.00E+07	3.64E-02	3.94E+06	1.08E+08	Max $\theta$ in DTL5 10 mrad, $\sigma_{xy} = 0$

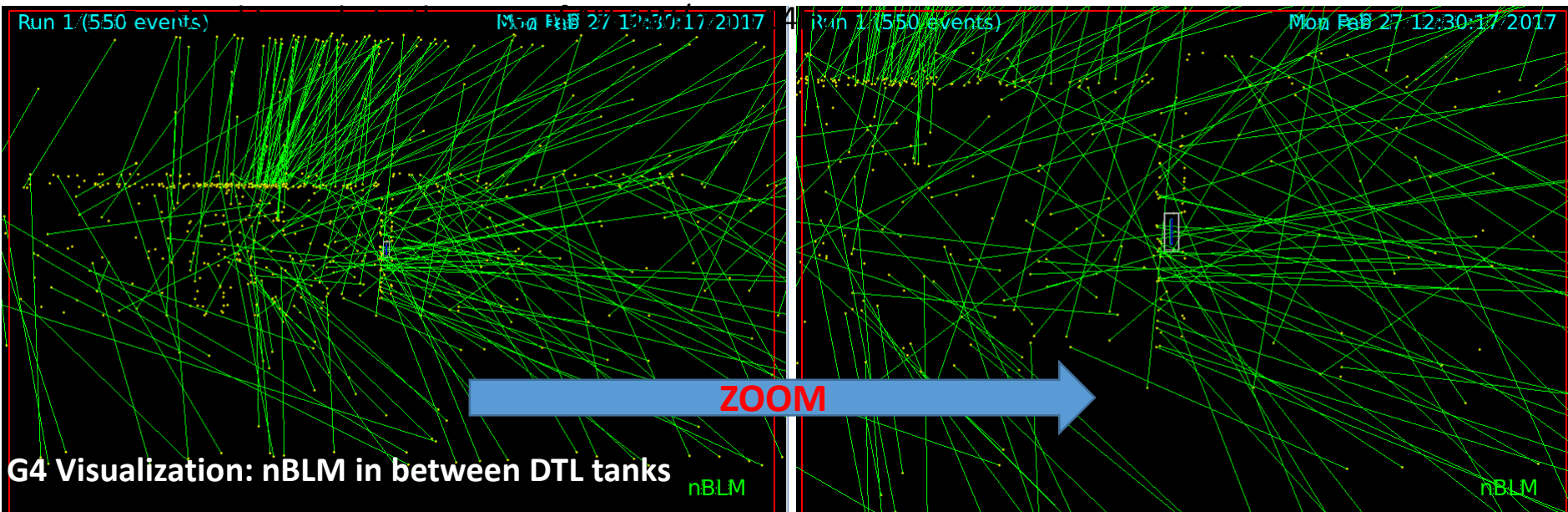
- nBLM geometry defined in Geant4
  - Geometry simulated: “standard” one
  - Geometry optimization first PDR. Finish with tests
- ESS scenarios output read as input
  - Used only the produced neutrons as input (so far)
  - Simulate  $> 10^8$  neutrons per run
- nBLM placed at different locations around the DTLs
  - 4 on top of each DTL from where the lost is produced
  - Placed following recommendations in [1]
  - Use same reference system
  - Studied also position between tanks and on side
- Simulated accidental losses:
  - Known number of protons at fix energy in a point
  - Used to scale to the case of 1% 1W/m in 14Hz



Parameter	“Standard” value
<b>Slow module</b>	
Cd thickness	1.0 mm
Polyethylene thickness	4.0 cm
Aluminium chamber thickness	1.0 mm
B <sub>4</sub> C thickness	1.5 $\mu$ m
Drift Distance	5.0 mm
Micromegas surface	10x10cm <sup>2</sup>

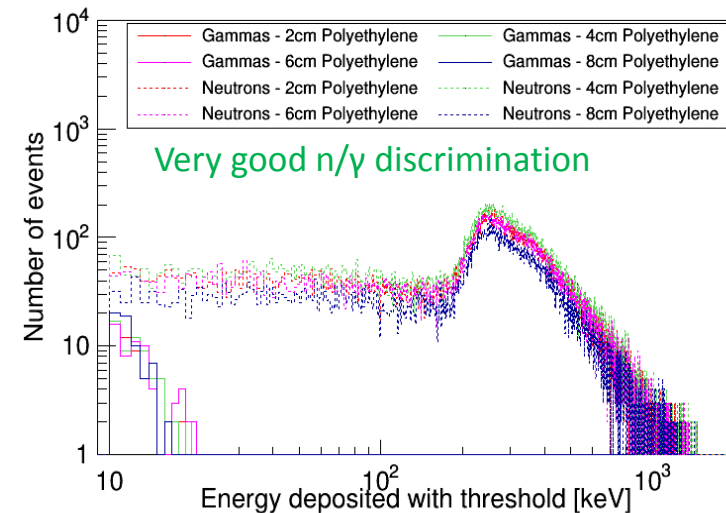
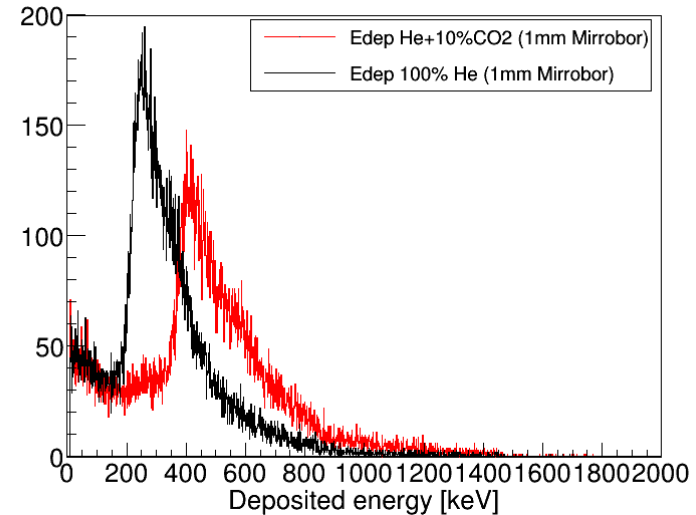
<b>Fast module</b>	
Polypropylene thickness	2.0 mm
Aluminium internal layer	50.0 nm
Aluminium chamber thickness	1.0 mm
Drift Distance	5.0 mm
Micromegas surface	10x10cm <sup>2</sup>

- nBLM geometry defined in Geant4
  - Geometry simulated: “standard” one
  - Geometry optimization first PDR. Finish with tests
- ESS scenarios output read as input
  - Used only the produced neutrons as input (so far)
  - Simulate  $> 10^8$  neutrons per run
- nBLM placed at different locations around the DTLs
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  - Known number of protons at fix energy in a point



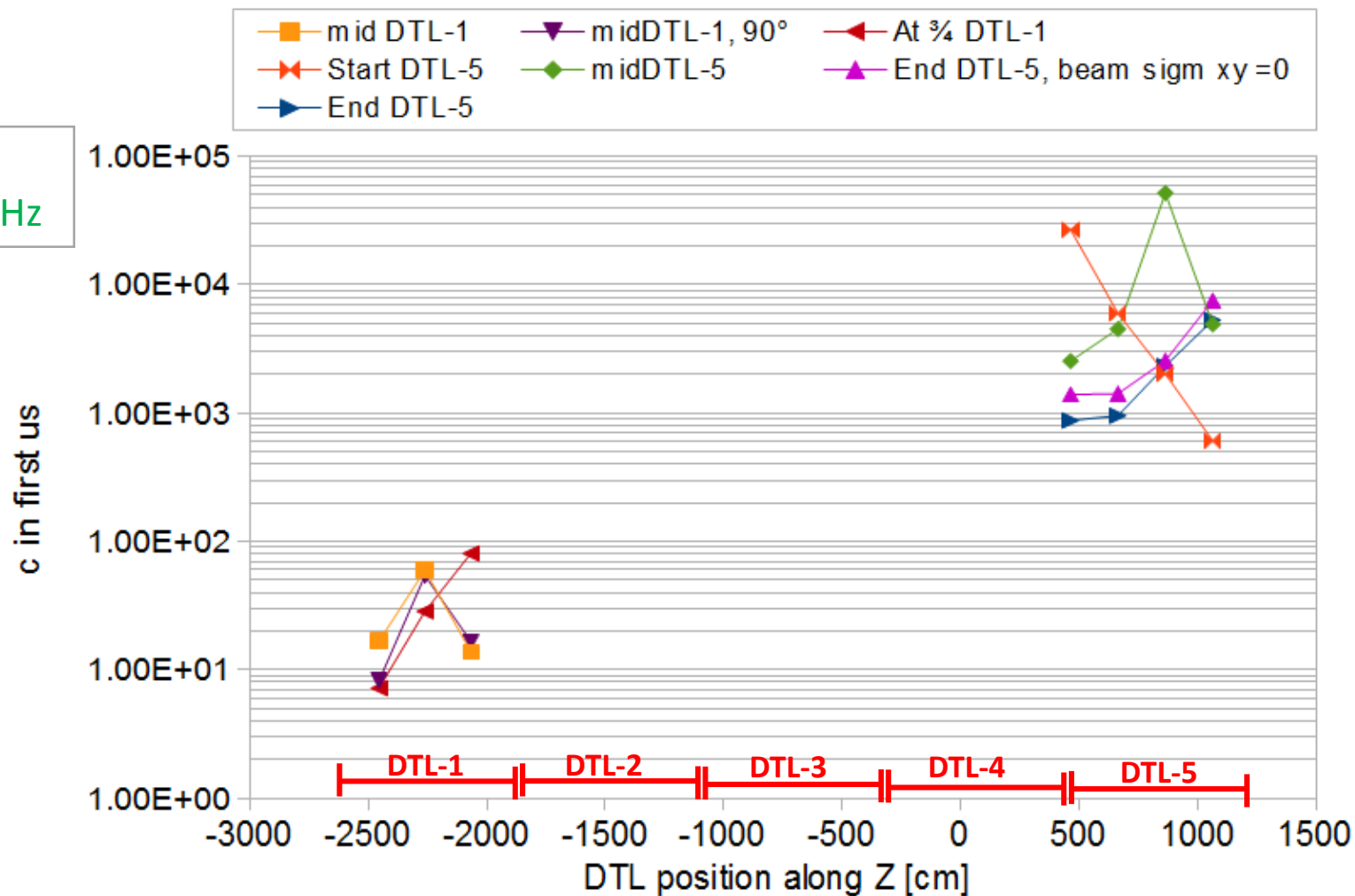
## Analysis

- Every neutron that deposit energy in the nBLM gas volume is recorded and saved
- Only events that deposit >10 keV are considered
- The electronics and electric field are not simulated
  - Small drift volume → any particle detected
- To study response under ESS scenarios calculate:
  - Expected rates
  - Time response.
    - Largely studied in [2]
- For the rates:
  - Frequency in DTL shorter than the time response of the *slow detector* (100% events in ~180  $\mu$ s)
  - Bunches will start overlapping in case of accidents
  - Calculate how many counts lost in 1st  $\mu$ s
  - For 0.01 W/m loss considered peak count rate (equal loss in each pulse)



## Accidents, Slow Module, on top

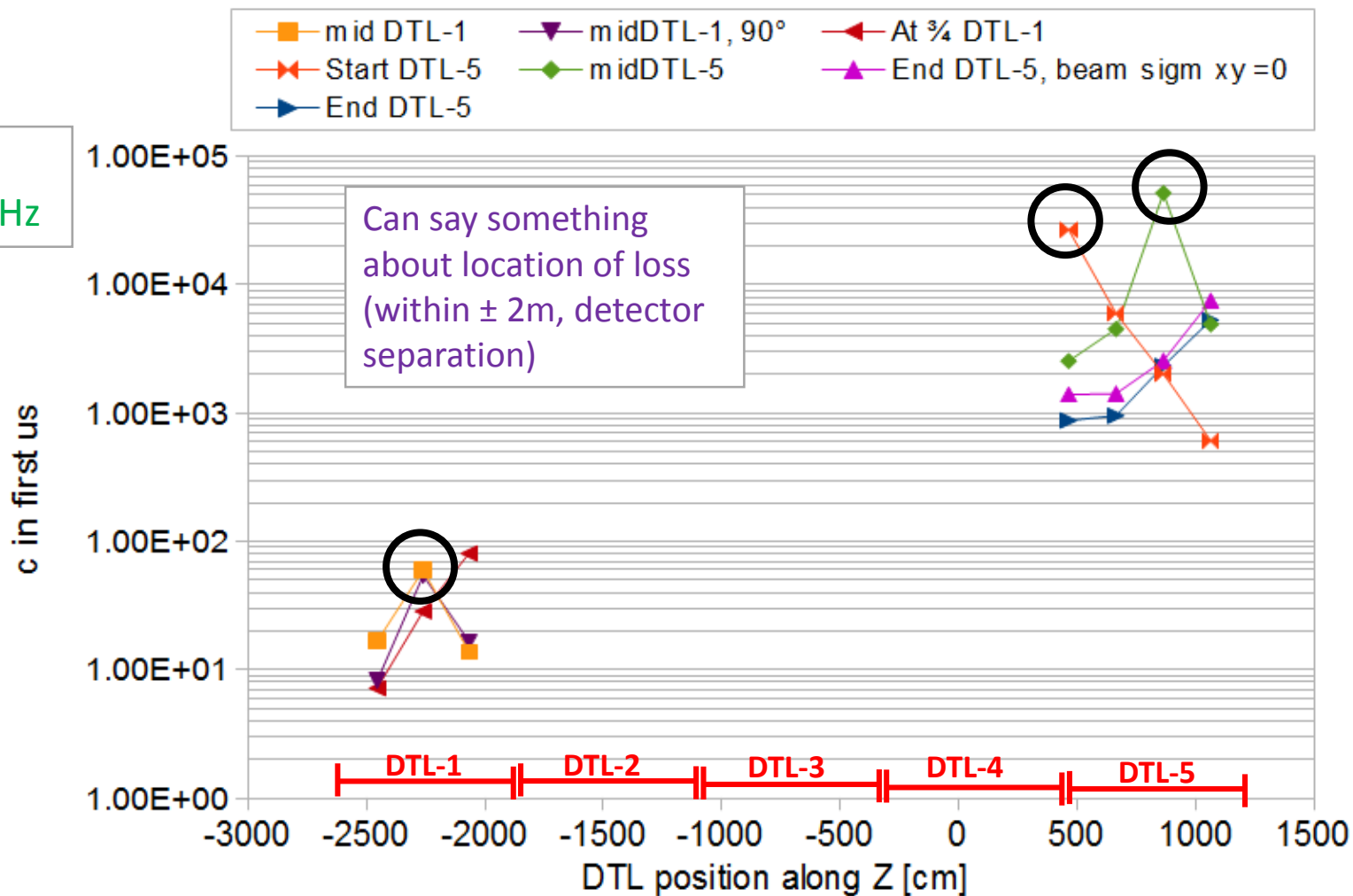
Rates of  
10 MHz – 60GHz





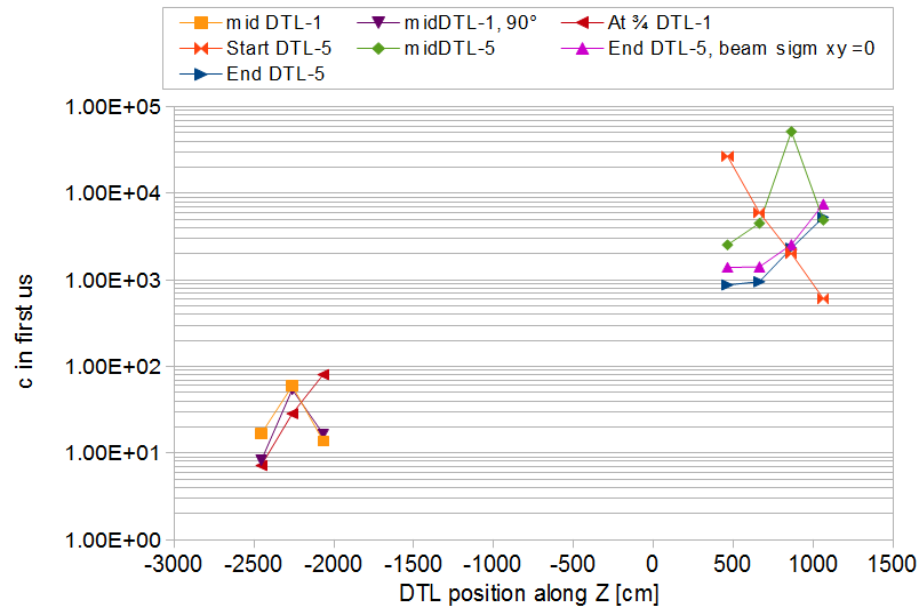
## Accidents, Slow Module, on top

Rates of  
10 MHz – 60GHz



## Accidents, Slow Module, on top

Rates of  
10 MHz – 60GHz



### Lowest and highest estimated high rate

- Compare scenarios mid DTL-1 (yellow) and midDTL1 -90 (purple) (sim2\_0 and sim2\_3)
- Results obtained are the same within  $\sim 2\sigma$  maximum in both cases.
- Also comparing them if placing the detector on the side (next slides).

### Pencil-beam vs Gaussian (1mm)

- Compare End DTL-5 magenta and blue
- Very similar result on loss, smaller further from loss for pencil beam

## Accidents in DTL-1

ESS input	nBLM	c/bunch	Accidents c in the first $\mu$ s (MHz)
Sim2-0 Mid DTL-1	det1	---	---
	det2	$1.70 \pm 0.04$	$16.70 \pm 4.09$
	det3	$7.45 \pm 0.04$	$59.81 \pm 7.73$
	det4	$3.21 \pm 0.03$	$13.82 \pm 3.72$
Sim2-1 @ $\frac{3}{4}$ DTL-1	det1	---	---
	det2	$1.24 \pm 0.05$	$7.20 \pm 2.68$
	det3	$4.14 \pm 0.10$	$28.60 \pm 5.35$
	det4	$11.57 \pm 0.16$	$80.76 \pm 8.99$
Sim2-3 Mid DTL-1 (-90°)	det1	---	---
	det2	$1.58 \pm 0.03$	$8.21 \pm 2.87$
	det3	$6.02 \pm 0.05$	$54.28 \pm 7.37$
	det4	$2.95 \pm 0.04$	$16.64 \pm 4.08$

## Accidents in DTL-5

ESS input	nBLM	c/bunch	Accidents c in the first $\mu$ s (GHz)
Sim2-8 Start DTL5	det1	$2793.69 \pm 17.38$	$26.83 \pm 0.16$
	det2	$815.91 \pm 9.40$	$0.59 \pm 0.08$
	det3	$409.36 \pm 6.65$	$0.20 \pm 0.04$
	det4	$258.34 \pm 5.29$	$0.06 \pm 0.002$
Sim2-11 End DTL- 5	det1	$314.18 \pm 5.85$	$0.14 \pm 0.04$
	det2	$336.00 \pm 6.05$	$0.14 \pm 0.04$
	det3	$599.35 \pm 8.09$	$0.26 \pm 0.05$
	det4	$1174.69 \pm 11.32$	$0.75 \pm 0.09$
Sim2-13 Mid DTL- 5	det1	$530.48 \pm 7.22$	$0.25 \pm 0.05$
	det2	$827.69 \pm 27.76$	$0.45 \pm 0.07$
	det3	$3758.40 \pm 42.95$	$51.79 \pm 0.23$
	det4	$769.65 \pm 19.44$	$0.49 \pm 0.07$

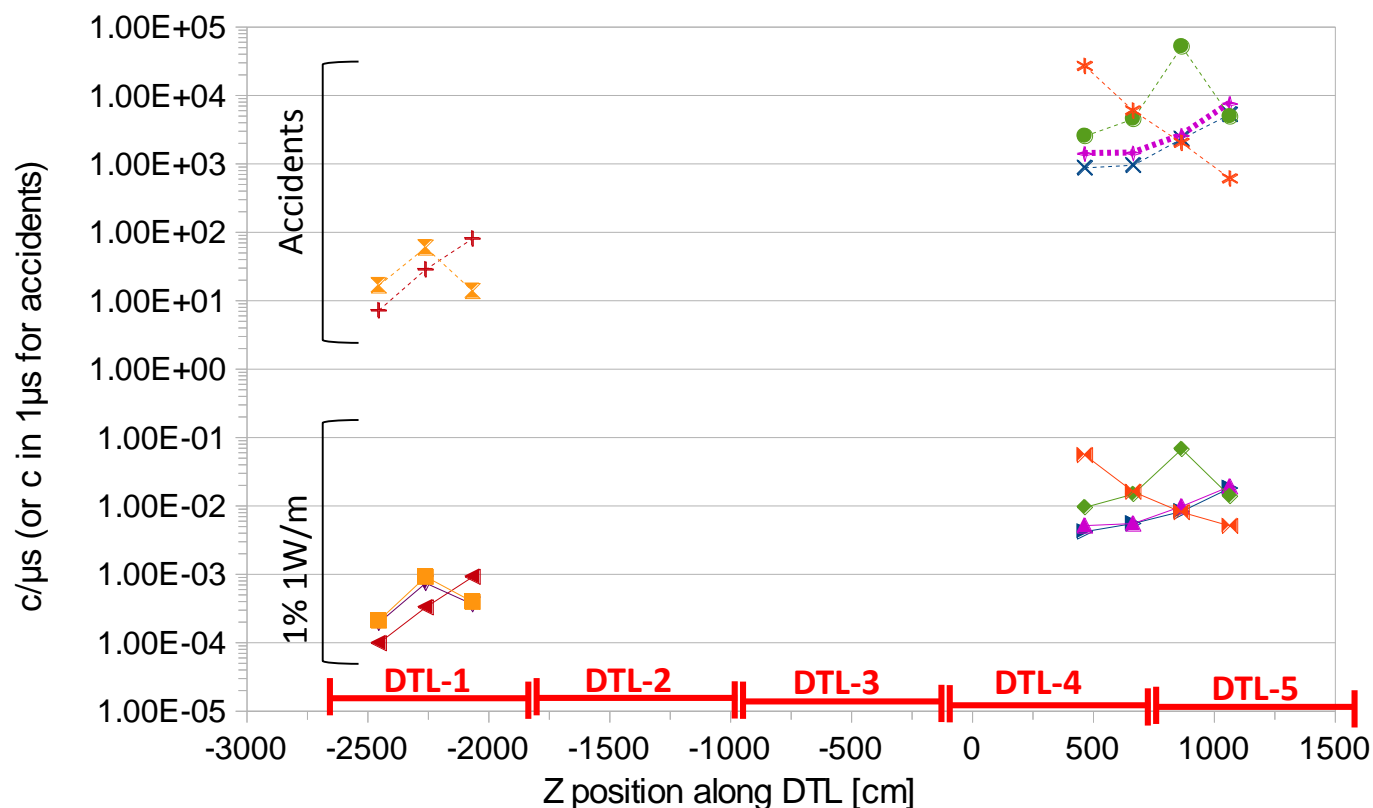
*Scale down accidents to 1% 1W/m in 14Hz, **Slow** detector , on top*

Solid lines:  
1% 1W/m lost  
Dashed lines:  
accidents

- |                     |                                     |
|---------------------|-------------------------------------|
| midDTL1             | MidDTL1, 90°                        |
| 3/4DTL1             | StartDTL5                           |
| MidDTL5             | End DTL-5, beam sigm xy =0          |
| EndDTL5             | mid DTL-1 Accident                  |
| At ¾ DTL-1 Accident | Start DTL-5 Accident                |
| MidDTL-5 Accident   | End DTL-5, beam sigm xy =0,Accident |
| End DTL-5 Accident  |                                     |

Accidents  
10 MHz – 60GHz

1% 1W/m  
0.1 kHz – 700 kHz



### Accidents in DTL-1

- Rates for 1%1W/m ~0.1-1 kHz
- Factor ~10<sup>4</sup> between accidents and 1% 1W/m

ESS input	nBLM	1% 1W/m c/ms (kHz)	Accidents c in the first $\mu$ s (MHz)
Sim2-0 Mid DTL-1	det1	---	---
	det2	0.21 $\pm$ 0.01	16.70 $\pm$ 4.09
	det3	0.92 $\pm$ 0.01	59.81 $\pm$ 7.73
	det4	0.396 $\pm$ 0.003	13.82 $\pm$ 3.72
Sim2-1 @ ¾ DTL-1	det1	---	---
	det2	0.098 $\pm$ 0.004	7.20 $\pm$ 2.68
	det3	0.33 $\pm$ 0.01	28.60 $\pm$ 5.35
	det4	0.62 $\pm$ 0.01	80.76 $\pm$ 8.99
Sim2-3 Mid DTL-1 (-90°)	det1	---	---
	det2	0.195 $\pm$ 0.003	8.21 $\pm$ 2.87
	det3	0.74 $\pm$ 0.01	54.28 $\pm$ 7.37
	det4	0.364 $\pm$ 0.004	16.64 $\pm$ 4.08

### Accidents in DTL-5

- Rates for 1%1W/m ~ 5 - 68 kHz
- Factor ~10<sup>5</sup> between accidents and 1% 1W/m

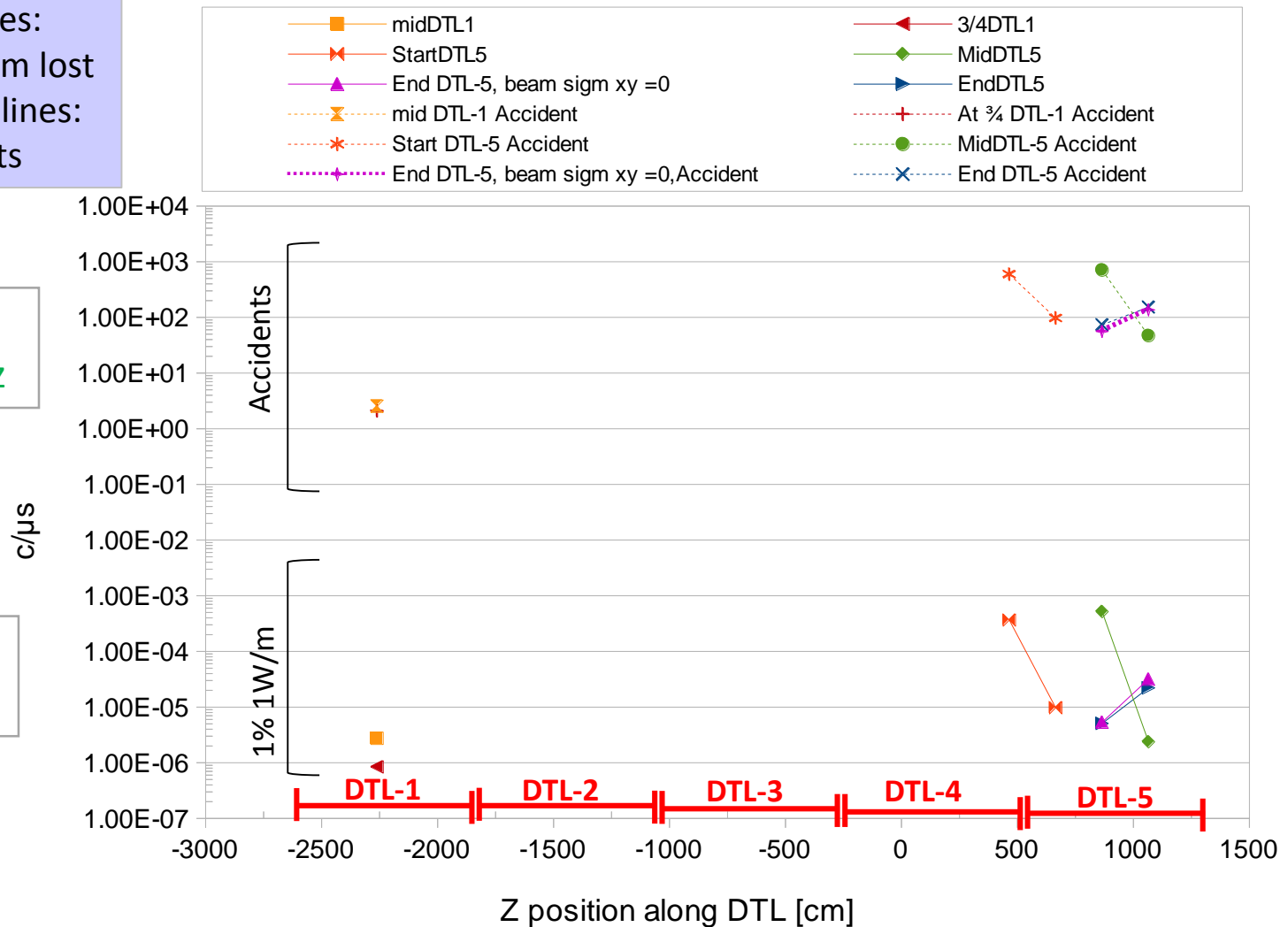
ESS input	nBLM	1% 1W/m c/ms (kHz)	Accidents c in the first $\mu$ s (GHz)
Sim2-8 Start DTL5	det1	55.25 $\pm$ 0.34	26.83 $\pm$ 0.16
	det2	16.14 $\pm$ 0.19	0.59 $\pm$ 0.08
	det3	8.10 $\pm$ 0.13	0.20 $\pm$ 0.04
	det4	5.11 $\pm$ 0.10	0.06 $\pm$ 0.002
Sim2-11 End DTL-5	det1	5.17 $\pm$ 0.10	0.14 $\pm$ 0.04
	det2	5.53 $\pm$ 0.10	0.14 $\pm$ 0.04
	det3	9.87 $\pm$ 0.13	0.26 $\pm$ 0.05
	det4	19.34 $\pm$ 0.18	0.75 $\pm$ 0.09
Sim2-13 Mid DTL-5	det1	9.56 $\pm$ 0.13	0.25 $\pm$ 0.05
	det2	14.92 $\pm$ 0.50	0.45 $\pm$ 0.07
	det3	67.72 $\pm$ 0.77	51.79 $\pm$ 0.23
	det4	13.87 $\pm$ 0.35	0.49 $\pm$ 0.07

*Same studies for the **FAST** detector, placed also on top  
Accidents and scale down them to 1% 1W/m in 14Hz,  
Lower stats in some of the cases studied*

Solid lines:  
1% 1W/m lost  
Dashed lines:  
accidents

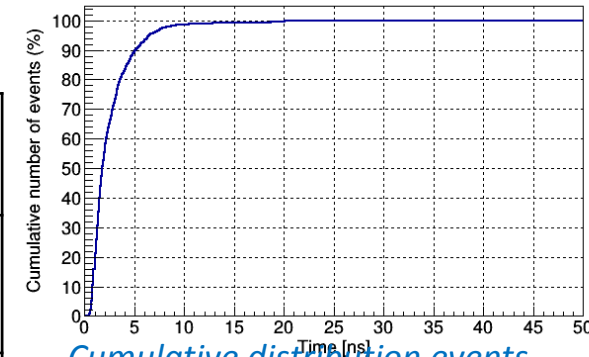
Accidents  
2 MHz – 700 MHz

1% 1W/m  
1 Hz – 400 Hz



- Rates for 1%1W/m ~10 MHz (DTL-1)  
~100 MHz – 28 GHz (DTL-5)
- Factor ~10<sup>4</sup> between accidents and 1% 1W/m

ESS input	nBLM detector	c/bunch	Accidents c/μs (MHz)	1% 1W/m c/ms (kHz)
sim2-0-DTL Mid DTL1	det3	0.060 ± 0.007	22.44 ± 2.54	0.008 ± 0.001
sim2-1-DTL ¾ DTL1	det3	0.030 ± 0.005	10.65 ± 2.09	0.0024 ± 0.0005
sim2-8-DTL Start DTL5	det1	52.70 ± 1.69	18569.94 ± 594.71	1.04 ± 0.03
	det2	1.41 ± 0.28	495.20 ± 97.12	0.028 ± 0.006
sim2-11-DTL End DTL5	det3	0.93 ± 0.16	326.50 ± 56.00	0.015 ± 0.003
	det4	5.51 ± 0.39	1939.82 ± 136.49	0.091 ± 0.006
sim2-12-DTL End DTL5	det3	0.88 ± 0.21	311.14 ± 73.34	0.015 ± 0.003
	det4	3.83 ± 4.34	1348.27 ± 152.66	0.063 ± 0.007
sim2-13-DTL Mid DTL5	det3	82.28 ± 2.01	285970.55 ± 707.65	1.48 ± 0.04
	det4	0.38 ± 0.13	132.85 ± 46.97	0.007 ± 0.002



*Cumulative distribution events detected at middle of DTL-5*

**Accidents in the fast detector**  
Up to 80c/bunch  
→ 80c in ~ 3ns

**1%1W/m in the fast detector**  
Up to 1c/ms → ~3c/pulse  
Over 300 pulses, already 300 counts

In summary

In the DTLs

Rates		
	1% 1W/m	Accidents (after 1 $\mu$ s)
Slow	0.1 – 68 kHz	10MHz – 60 GHz
Fast	1 – 400 Hz	2-700 MHz

Important to know  
expected neutron  
background

- The expected rates for a localized loss or for a scenario of 1% 1W/m emission are very different.
  - Recognize an increment in the emitted neutrons in case of a problem within 1 $\mu$ s
  - With the fast module in much shorter time (few ns).
- We need to include the time for the electronics and signal processing.

*BUT*

- The huge rates expected based on the Montecarlo simulations, for some cases, are too high for individual event counting, as we are talking about GHz.
- Several options to reduce these rates, which can be done during the commissioning phase, are:
  - Reducing the B4C thickness (range 150 nm – 2  $\mu$ m) → factor more than 10 reduction
  - Using natural Boron instead of  $^{10}\text{B}$  → factor 5 reduction
  - Read from just 1 to the 4 strips → factor 4
- Or include current mode in the software and firmware
  - The effect on the sensitivity of the system will be estimated only after performing the planned tests or even during the commissioning phase.

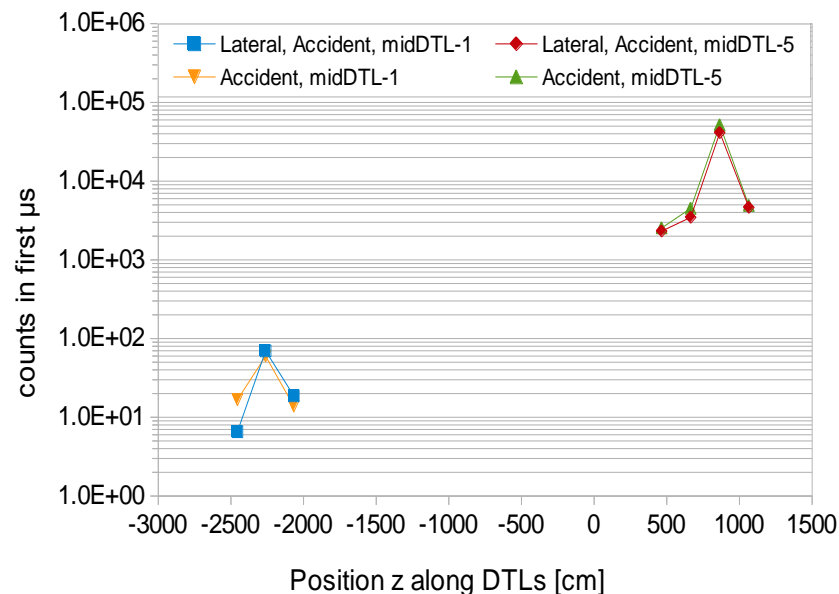


- Results shown so far were obtained with the detector on top of the accelerator
- Further studies carried out with the detector
  - on the lateral (65 cm from accelerator walss) and
  - in-between the tanks (centred with the beam)
    - Only fast module

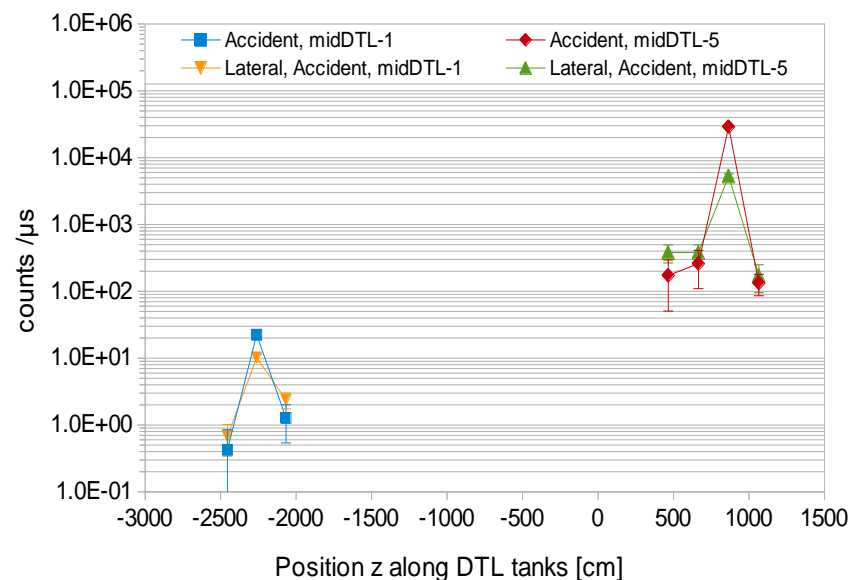
## LATERAL

- Two scenarios used: sim2\_0 (mid DTL1) and sim2\_13(mid DTL5)

### Slow Detector



### Fast Detector



## In-between

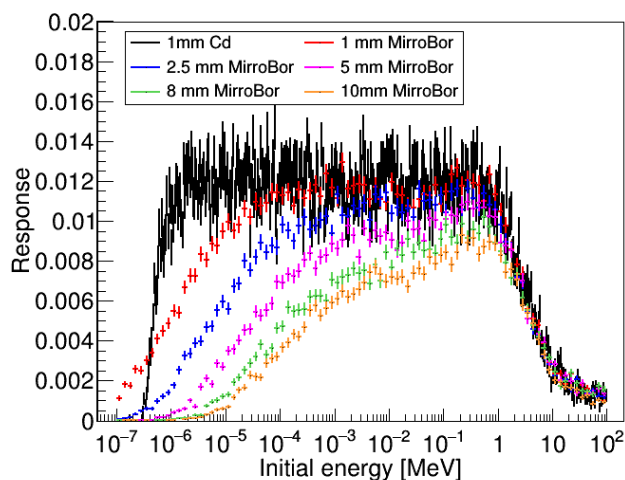
- Four lost scenarios used
  - sim2\_0 (middle of DTL-1)
  - sim2-1 (at  $\frac{3}{4}$  of DTL-1)
  - sim2-11 and sim2-12 (at  $\frac{3}{4}$  of DTL-5)
- Low statistics
- Higher response closer to loss (1- 90 MHz at low E, 0.8- 5 GHz at high energy)
  - During 1% 1W/m  $\rightarrow$  0.5 – 11 Hz and 20-300 Hz (DTL1 and DTL5)

ESS input	nBLM detector between	Bunches simulated	Counts detected	c/bunch	c/ $\mu$ s (MHz)
sim2-0-DTL (mid DTL-1)	DTLs 1-2	4315.59	$16 \pm 4$	$0.004 \pm 0.001$	$1.36 \pm 0.34$
	DTLs 2-3	4315.59	$2 \pm 1$	Low stats	Low stats
sim2-1-DTL ( $\frac{3}{4}$ DTL-1)	DTLs 1-2	429.69	$119 \pm 11$	$0.28 \pm 0.03$	$97.52 \pm 8.94$
	DTLs 2-3	429.69	$2 \pm 1$	Low stats	Low stats
sim2-11-DTL (end DTL-5)	End of 5	9.17	$22 \pm 5$	$2.40 \pm 0.51$	$845.07 \pm 180.17$
sim2-12-DTL (end DTL-5)	DTLs 4-5	10.19	$2 \pm 1$	Low stats	Low stats
	End of 5	25.46	$381 \pm 20$	$14.96 \pm 0.77$	$5268.63 \pm 269.92$

- ❖ Good coverage of accelerator can help identifying position of loss
  - Detector on top or accelerator or on side gives more or less same signal, redundancy?
- ❖ In-between detectors can also give information both in the case of 0.01 W/m loss or a higher accident loss.
- ❖ Repartition as suggested in [1] is
  - 5 nBLM modules in the MEBT section
  - 11 in the DTLs sections → Agreed to increase it
  - 14 in the spokes sections
  - 4 in the High  $\beta$  section
  - Total 34 over 42 that needs to be deliver
- ❖ Only response in DTLs section studied by simulations
- ❖ Coverage per region important to follow with rest of the design:
  - ❖ ADC cards and IOC CPU per rack and cables through stubs

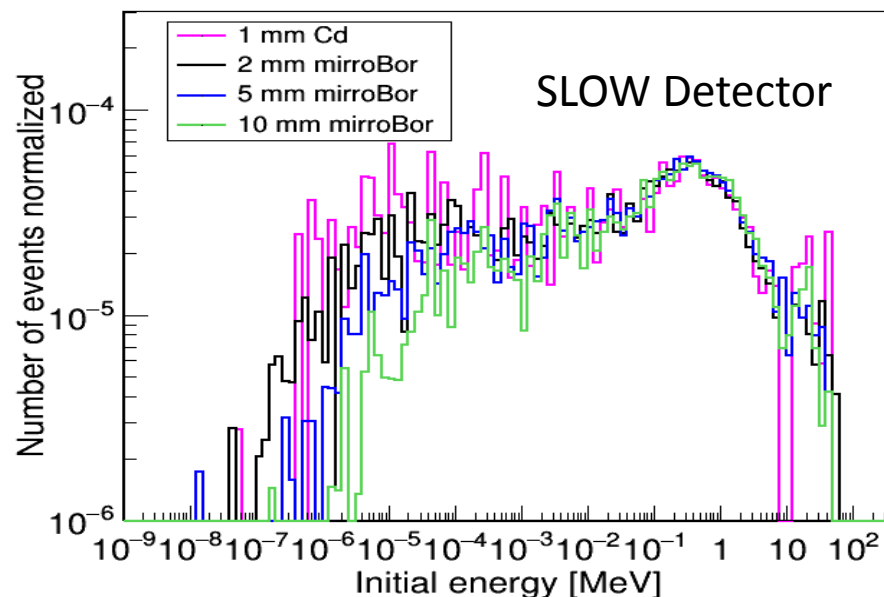
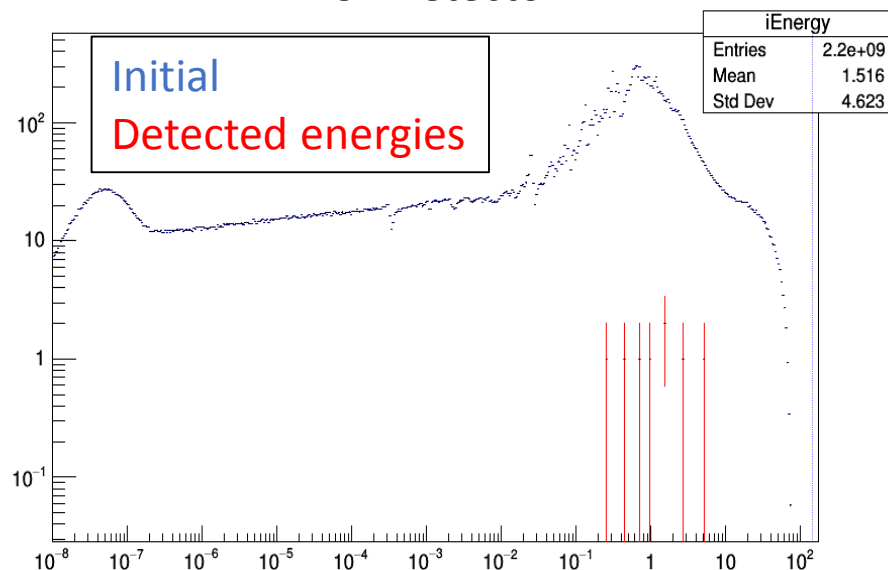
# Threshold between “thermal” and fast neutrons

- ❖ In [1] it is suggested two possible thresholds to separate between “thermal” and fast neutrons.
  - 0.5 MeV or
  - 50 keV.
- ❖ This is naturally obtained in the fast detector
  - only sensitive to initial neutrons energies of  $\sim 0.2$  MeV.
- ❖ In the case of the slow we have some merging playing with the Mirrobor thickness, however, the limits suggested in [2] seems quiet unrealistic as will imply a high efficiency loss.



*SLOW Detector but with a initial flux constante in all E*

## FAST Detector



*THANK YOU*

## References

- [1] I. Dolenc Kittelman, “Report regarding the MC simulation for BLM-focus on the nBLM,” CHESS, ESS-0066428, 2016.
- [2] nBLM PDR12,

**BACK-UP**

## Method

1. Calculate the power lost in the scenario:  $W = E_p \times I = E_p \times N_p$ 
  - Assume  $N_p$  per second
2. Used it to normalize the events detected in the scenario to the case of 1W/m
3. Normalize also by the number of neutrons we simulate,  $N_N$ , and the number of neutrons produced in the scenario,  $N_N^{Simu}$
4. Normalize by the time, for example, assume lost is produced per pulse (2.86ms)
  - We divide by it and pass it to  $\mu s$  that is the time of reaction needed

$$C_{det} * \frac{N_N}{N_N^{Simu}} * \frac{1W/m}{xW/m} * \frac{1}{Active\ Time}$$

ESS Input	Position of the loss	$E_p$ (MeV)	$E_p$ (J)	$N_p$	$N_N$	W/m/s
sim2-0-DTL	Mid DTL-1	11.5	$1.84 \times 10^{-12}$	$6.00 \times 10^8$	$2.90 \times 10^5$	$1.10 \times 10^{-3}$
sim2-1-DTL	¾ DTL-1	17.9	$2.86 \times 10^{-12}$	$1.00 \times 10^8$	$6.68 \times 10^4$	$2.86 \times 10^{-4}$
sim2-3-DTL	Mid DTL-1	11.5	$1.84 \times 10^{-12}$	$6.00 \times 10^8$	$2.86 \times 10^5$	$1.10 \times 10^3$
sim2-8-DTL	Start DTL-5	71.8	$1.15 \times 10^{-11}$	$4.00 \times 10^7$	$4.33 \times 10^6$	$4.60 \times 10^4$
sim2-11-DTL	End DTL-5	86.5	$1.38 \times 10^{-11}$	$4.00 \times 10^7$	$4.38 \times 10^6$	$5.54 \times 10^4$
sim2-12-DTL	End DTL-5	86.5	$1.38 \times 10^{-11}$	$4.00 \times 10^7$	$3.94 \times 10^6$	$5.54 \times 10^4$
sim2-13-DTL	Mid DTL-1	79.0	$1.26 \times 10^{-11}$	$4.00 \times 10^7$	$3.94 \times 10^6$	$5.06 \times 10^4$



## Accidents in DTL-1

- Rates for 1%1W/m ~0.1-1 kHz
- Factor ~10<sup>4</sup> between accidents and 1% 1W/m

ESS input	nBLM	c after normalization	1% 1W/m c/ms (kHz)	Accidents c in the first $\mu$ s (MHz)
Sim2-0 Mid DTL-1	det1	---	---	---
	det2	842 $\pm$ 20	0.21 $\pm$ 0.01	16.70 $\pm$ 4.09
	det3	3685 $\pm$ 21	0.92 $\pm$ 0.01	59.81 $\pm$ 7.73
	det4	1586 $\pm$ 13	0.396 $\pm$ 0.003	13.82 $\pm$ 3.72
Sim2-1 @ ¾ DTL-1	det1	---	---	---
	det2	393 $\pm$ 17	0.098 $\pm$ 0.004	7.20 $\pm$ 2.68
	det3	1317 $\pm$ 31	0.33 $\pm$ 0.01	28.60 $\pm$ 5.35
	det4	3678 $\pm$ 52	0.62 $\pm$ 0.01	80.76 $\pm$ 8.99
Sim2-3 Mid DTL-1 (-90°)	det1	---	---	---
	det2	779 $\pm$ 14	0.195 $\pm$ 0.003	8.21 $\pm$ 2.87
	det3	2978 $\pm$ 26	0.74 $\pm$ 0.01	54.28 $\pm$ 7.37
	det4	1458 $\pm$ 19	0.364 $\pm$ 0.004	16.64 $\pm$ 4.08

### Accidents in DTL-5

- Rates for 1%1W/m~ 5 - 68 kHz
- Factor  $\sim 10^5$  between accidents and 1% 1W/m

ESS input	nBLM	c after normalization	1% 1W/m c/ms (kHz)	Accidents c in the first $\mu$ s (GHz)
Sim2-8 Start DTL5	det1	$(22.12 \pm 0.14)10^4$	$55.25 \pm 0.34$	$26.83 \pm 0.16$
	det2	$(6.46 \pm 0.07)10^4$	$16.14 \pm 0.19$	$0.59 \pm 0.08$
	det3	$(3.24 \pm 0.05)10^4$	$8.10 \pm 0.13$	$0.20 \pm 0.04$
	det4	$(2.05 \pm 0.04)10^4$	$5.11 \pm 0.10$	$0.06 \pm 0.002$
Sim2-11 End DTL-5	det1	$(2.07 \pm 0.04)10^4$	$5.17 \pm 0.10$	$0.14 \pm 0.04$
	det2	$(2.22 \pm 0.04)10^4$	$5.53 \pm 0.10$	$0.14 \pm 0.04$
	det3	$(3.95 \pm 0.05)10^4$	$9.87 \pm 0.13$	$0.26 \pm 0.05$
	det4	$(7.74 \pm 0.07)10^4$	$19.34 \pm 0.18$	$0.75 \pm 0.09$
Sim2-13 Mid DTL-5	det1	$(3.83 \pm 0.05)10^4$	$9.56 \pm 0.13$	$0.25 \pm 0.05$
	det2	$(5.98 \pm 0.20)10^4$	$14.92 \pm 0.50$	$0.45 \pm 0.07$
	det3	$(27.12 \pm 0.31)10^4$	$67.72 \pm 0.77$	$51.79 \pm 0.23$
	det4	$(5.56 \pm 0.14)10^4$	$13.87 \pm 0.35$	$0.49 \pm 0.07$

- Rates for 1%1W/m  $\sim 10$  MHz (DTL-1)  
 $\sim 100$  MHz – 28 GHz (DTL-5)
- Factor  $\sim 10^4$  between accidents and 1% 1W/m

ESS input	nBLM detector	c/bunch	Accidents c/ $\mu$ s (MHz)	c after normalization	1% 1W/m c/ms (kHz)
sim2-0-DTL Mid DTL1	det3	$0.060 \pm 0.007$	$22.44 \pm 2.54$	$32 \pm 4$	$0.008 \pm 0.001$
sim2-1-DTL $\frac{3}{4}$ DTL1	det3	$0.030 \pm 0.005$	$10.65 \pm 2.09$	$10 \pm 2$	$0.0024 \pm 0.0005$
sim2-8-DTL Start DTL5	det1 det2	$52.70 \pm 1.69$ $1.41 \pm 0.28$	$18569.94 \pm 594.71$ $495.20 \pm 97.12$	$4180 \pm 134$ $111 \pm 22$	$1.04 \pm 0.03$ $0.028 \pm 0.006$
sim2-11-DTL End DTL5	det3 det4	$0.93 \pm 0.16$ $5.51 \pm 0.39$	$326.50 \pm 56.00$ $1939.82 \pm 136.49$	$61 \pm 11$ $363 \pm 26$	$0.015 \pm 0.003$ $0.091 \pm 0.006$
sim2-12-DTL End DTL5	det3 det4	$0.88 \pm 0.21$ $3.83 \pm 4.34$	$311.14 \pm 73.34$ $1348.27 \pm 152.66$	$58 \pm 14$ $252 \pm 29$	$0.015 \pm 0.003$ $0.063 \pm 0.007$
sim2-13-DTL Mid DTL5	det3 det4	$82.28 \pm 2.01$ $0.38 \pm 0.13$	$285970.55 \pm 707.65$ $132.85 \pm 46.97$	$5940 \pm 145$ $27 \pm 10$	$1.48 \pm 0.04$ $0.007 \pm 0.002$

## In-between

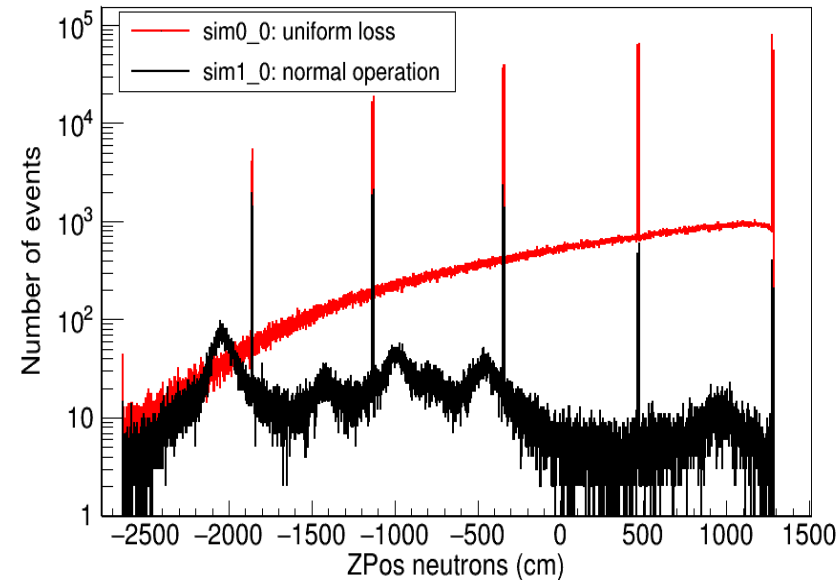
- Four lost scenarios used
  - sim2\_0 (middle of DTL-1)
  - sim2-1 (at  $\frac{3}{4}$  of DTL-1)
  - sim2-11 and sim2-12 (at  $\frac{3}{4}$  of DTL-5)
- Low statistics
- Higher response closer to loss (1- 90 MHz at low E, 0.8- 5 GHz at high energy)

ESS input	nBLM detector between	Bunches simulated	Counts detected	c/bunch	c/ $\mu$ s (MHz)	1% 1W/m c/ $\mu$ s
sim2-0-DTL (mid DTL-1)	DTLs 1-2	4315.59	$16 \pm 4$	$0.004 \pm 0.001$	$1.36 \pm 0.34$	4.78E-07
	DTLs 2-3	4315.59	$2 \pm 1$	Low stats	Low stats	
sim2-1-DTL ( $\frac{3}{4}$ DTL-1)	DTLs 1-2	429.69	$119 \pm 11$	$0.28 \pm 0.03$	$97.52 \pm 8.94$	1.10E-05
	DTLs 2-3	429.69	$2 \pm 1$	Low stats	Low stats	
sim2-11-DTL (end DTL-5)	End of 5	9.17	$22 \pm 5$	$2.40 \pm 0.51$	$845.07 \pm 180.17$	1.98E-05
sim2-12-DTL (end DTL-5)	DTLs 4-5	10.19	$2 \pm 1$	Low stats	Low stats	
	End of 5	25.46	$381 \pm 20$	$14.96 \pm 0.77$	$5268.63 \pm 269.92$	3.08E-04

- Two approaches to normalize the number of detected events,  $C_{det}$ , in the nBLM modules.
- Main Q's: *How many protons of each energy have been produced?*

## Method

1. Assume the protons simulated in the ESS scenario were distributed evenly along the 40 m  $\rightarrow N_P^{Simu}/m$
2. We can obtain the proton energy along the accelerator distance [3].  
Its  $\sim$  linear along the DTLs
3. Calculate how many protons of the energy in the region are needed to:
  1. To have 1W/m  $\rightarrow N_P$
  2. Or the other approach is to use [4] with a powerloss per meter calculation. From the expected loss we calculate  $\rightarrow N_P$
4. Obtain the number of neutrons/m produced for the positions we located the nBLM  $\rightarrow N_N^{Simu}/m$
5. Normalize by the number of neutrons we simulated  $\rightarrow N_N$
6. We are assuming that the only protons that contribute to the lost produced in a given region are the ones in this region.



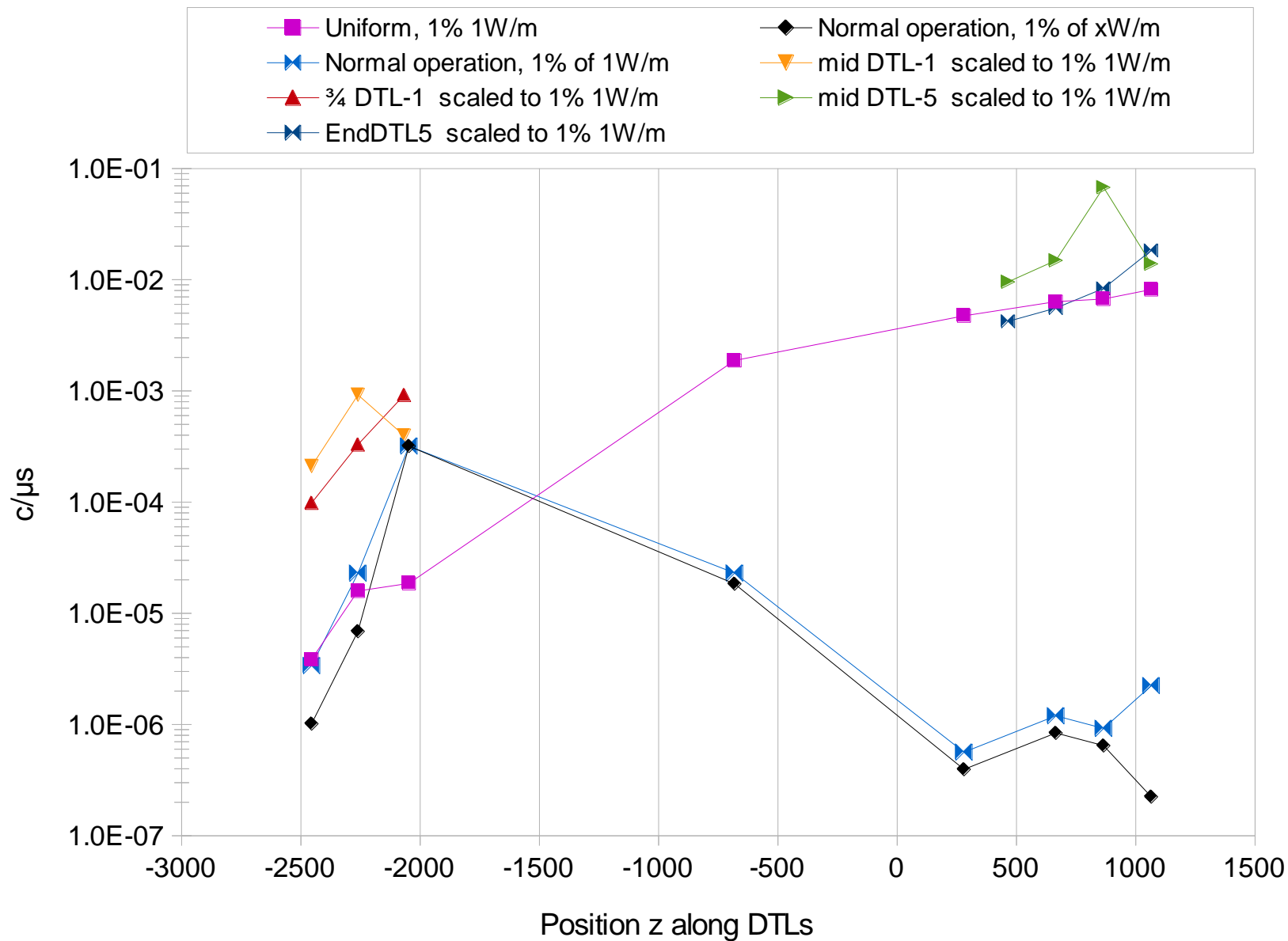
$$C_{det} * \frac{N_P}{N_P^{Simu}} * \frac{N_N}{N_N^{Simu}/m} * \frac{1}{Active\ Time}$$

Similarly to the normal case, we have to know the normalization factor

### Method

1. Calculate  $N_p$  needed to produce a loss of 1W/m taking into account the energy of the proton at each position.
2.  $10^8$  protons were simulated- -> assume again that they have been distributed uniformly along the DTLS -->  $N_p^{\text{simu}}$  as before,  $N_p^{\text{simu}} = 10^8/40$
3. Obtain the number of neutrons produced/meter  $\rightarrow N_N^{\text{simu}}/\text{m}$
4. Normalize by the number of neutrons simulated  $\rightarrow N_N$
5. Also in this case we are assuming that the only protons that contribute to the lost produced in a given region are the ones in this region.

$$C_{det} \cdot \frac{N_N}{N_N^{\text{simu}}} \cdot \frac{1W/m}{x W/m} \cdot \frac{1}{\text{Active Time}}$$



UNIFORM  
SLOW

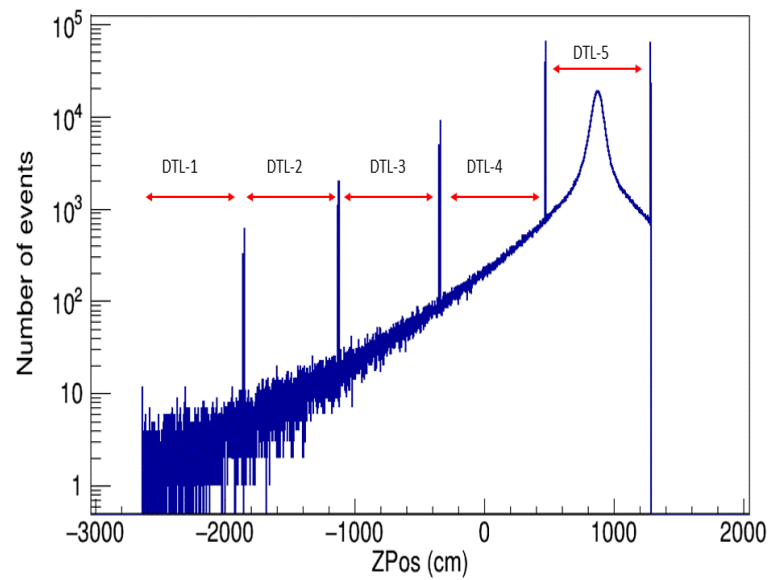
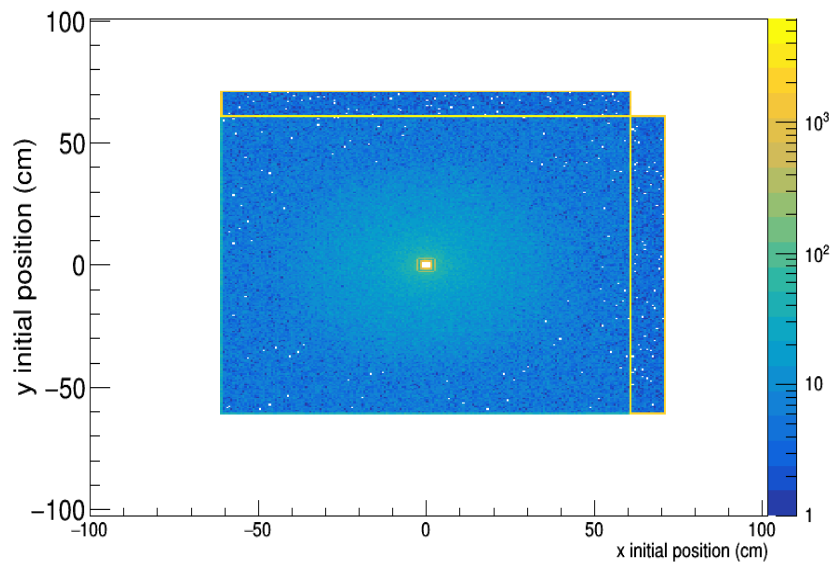
1% 1W/m in 14 Hz	
Z position (cm)	c/ms (kHz)
-2649	----
-2455	$0.004 \pm 0.001$
-2261	$0.016 \pm 0.001$
-2047	$0.019 \pm 0.001$
-681.5	$1.88 \pm 0.09$
280	$4.74 \pm 0.04$
665	$6.36 \pm 0.07$
865	$6.70 \pm 0.06$
1065	$8.16 \pm 0.33$



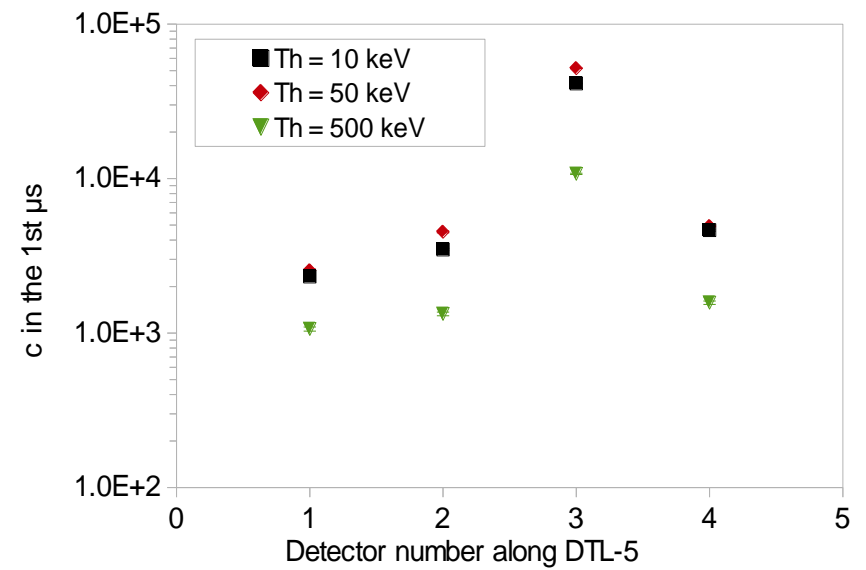
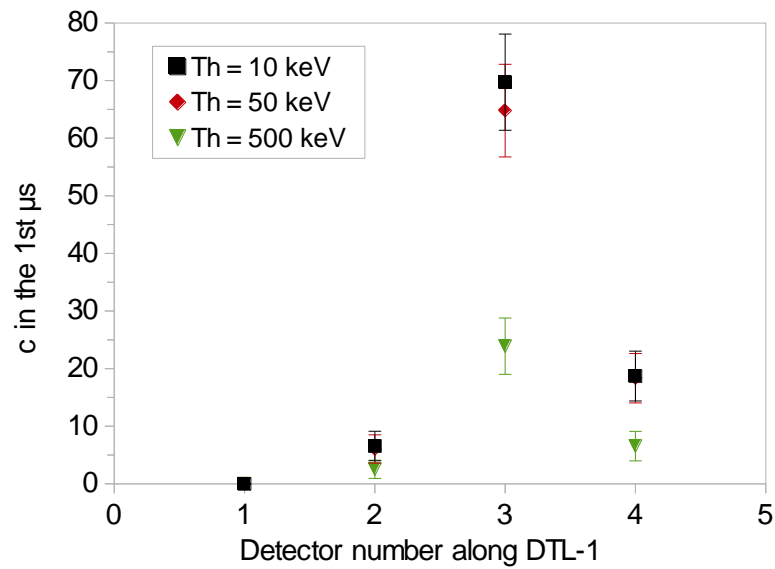
“Normal” operation, 1% of the power loss in 14 Hz					
Normal scenario, Sim1_0		Uniform, 1W/m Sim0_0	Accidents scale to 1% 1W/m	Accidents	
Z position (cm)	Assuming 1W/m <i>c/s (1Hz)</i>	Using values from [4] <i>c/s (1Hz)</i>	<i>c/ms (1kHz)</i>	<i>c/ms (1kHz)</i>	<i>c in 1<sup>st</sup> μs (1MHz)</i>
-2649	----	----	----	---	---
-2455	$3.39 \pm 0.10$	$1.02 \pm 0.03$	$0.004 \pm 0.001$	$0.21 \pm 0.01$	$16.70 \pm 4.09$
-2261	$22.95 \pm 0.46$	$6.89 \pm 0.14$	$0.016 \pm 0.001$	$0.92 \pm 0.01$	$59.81 \pm 7.73$
-2067				$0.396 \pm 0.003$	$13.82 \pm 3.72$
-2047	$319.07 \pm 2.80$	$319.07 \pm 2.80$	$0.019 \pm 0.001$		
-681.5	$23.01 \pm 0.46$	$18.41 \pm 0.37$	$1.88 \pm 0.09$		
280	$0.56 \pm 0.01$	$0.40 \pm 0.01$	$4.74 \pm 0.04$		
665	$1.20 \pm 0.03$	$0.84 \pm 0.02$	$6.36 \pm 0.07$	$14.92 \pm 0.50$	$4518.26 \pm 67.22$
865	$0.92 \pm 0.02$	$0.65 \pm 0.02$	$6.70 \pm 0.06$	$67.73 \pm 0.78$	$51790.90 \pm 227.5$
1065	$2.24 \pm 0.06$	$0.22 \pm 0.01$	$8.16 \pm 0.33$	$13.87 \pm 0.35$	$4914.98 \pm 70.11$

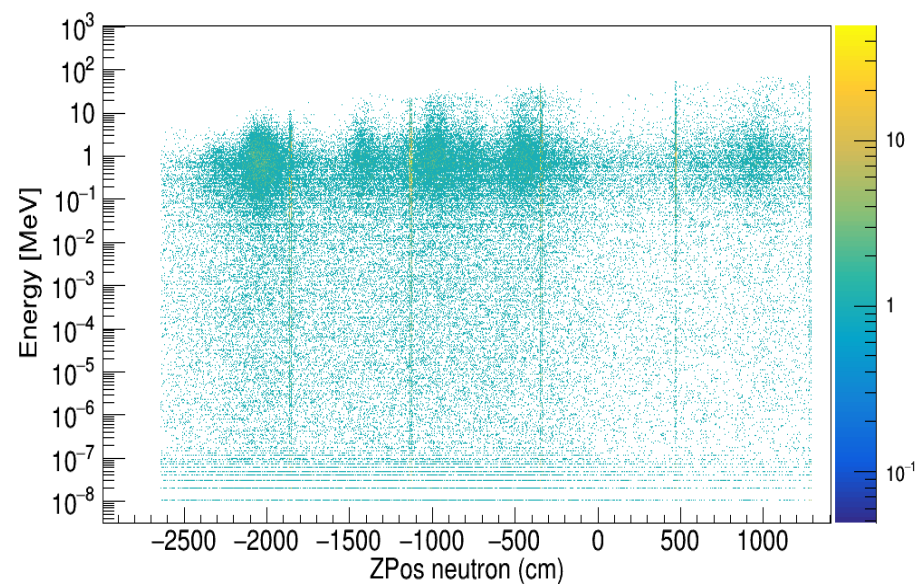
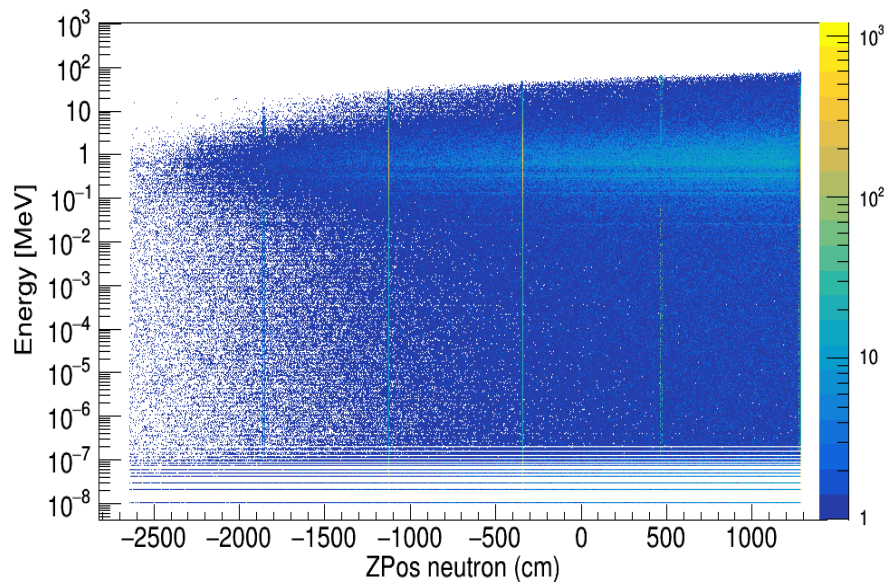
NORMAL  
SLOW

	1% of the power loss distributed in 14 Hz	
	c/s (1 Hz)	
Z position (cm)	1% 1W/m	1% of values from [4]
-2649	----	----
-2455	$3.39 \pm 0.10$	$1.02 \pm 0.03$
-2261	$22.95 \pm 0.46$	$6.89 \pm 0.14$
-2047	$319.07 \pm 2.80$	$319.07 \pm 2.80$
-681.5	$23.01 \pm 0.46$	$18.41 \pm 0.37$
280	$0.56 \pm 0.01$	$0.40 \pm 0.01$
665	$1.20 \pm 0.03$	$0.84 \pm 0.02$
865	$0.92 \pm 0.02$	$0.65 \pm 0.02$
1065	$2.24 \pm 0.06$	$0.22 \pm 0.01$



## Different deposited energy threshold – slow detector





*Energy vs z-position for the neutrons produced in the losses in the uniform loss scenario simulated from ESS (sim0\_0) at the left and for the normal operation scenario (sim1\_0) at the right.*